

**IMAGE STITCHING APPROACH USING
MINIMUM AVERAGE CORRELATION ENERGY**

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**FACULTY OF ENGINEERING
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KUALA LUMPUR**

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**THESIS SUBMITTED IN FULFILMENT OF THE
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Abstract

Panorama Image Stitching has been the subject of interest over the decades. A panorama image is the output of blending a set of overlapping images taken at different viewpoints. This process of producing a panorama image is called image stitching, which consists of image registration and image blending. In this thesis, an image stitching method that utilizes Minimum Average Correlation Energy (MACE) filters is used to merge a number of overlapping images. Two sets of analysis were conducted to measure the effectiveness of the proposed method using natural images and radiology medical images. The performance of the proposed method is then compared to those of two correlation based methods namely the Phase Only Correlation (POC) and Normalized Cross Correlation (NCC) methods on the same databases. In the first set of analysis, pair of overlapping and non-overlapping x-ray images of human spine and hand was presented to the system to be merged if they were related or rejected if otherwise. In the second set of analysis involving images of natural scenery, a number of overlapping images were presented to the system to test its ability to recognize the correct matching points to merge them. Then pairs of non-overlapping images were introduced to the system to check whether the system able to identify that if they were not related and should not be merged. In both analyses, it was found that the proposed method outperformed the POC and NCC methods in identifying both the overlapping and non-overlapping images. The efficacy of the proposed method is further vindicated by its average execution time which is about two and five times shorter than those of the POC and NCC method respectively.

Abstrak

Imej penampalan panorama telah menjadi subjek yang penting selama beberapa dekad. Imej panorama merupakan hasil adunan dari beberapa set imej yang bertindih diambil pada pandangan berlainan. Proses menghasilkan imej panorama dipanggil imej tampalan yang mengadungi pendaftaran imej and pengadunan imej. Di dalam tesis ini, kaedah penampalan imej yang menggunakan penapis tenaga korelasi purata terendah (MACE) di gunakan untuk menggabungkan beberapa imej yang bertindih. Dua set eksperimen telah dijalankan untuk mengukur keberkesanan kaedah yang di dicadangkan menggunakan imej semulajadi dan imej radiologi perubatan. Prestasi kaedah baru ini kemudian dibandingkan dengan dua lagi kaedah berasaskan korelasi yang dinamakan hanya fasa korelasi (POC) dan ternormal silang korelasi (NCC) pada data-data yang sama. Dalam set eksperimen pertama, pasangan imej x-ray tulang tunjang manusia dan tangan yang bertindih dan tidak bertindih dipersembahkan kepada sistem untuk digabungkan jika mereka berkaitan atau ditolak jika sebaliknya. Pada set kedua eksperimen yang melibatkan imej pemandangan semulajadi, beberapa imej yang bertindih telah dipersembahkan pada sistem untuk menguji kebolehan nya mengenal titik sepadan yang betul untuk digabungkan. Kemudian pasangan untuk imej tidak bertindih diperkenalkan pada sistem untuk menyemak samaada sistem boleh mengenalpasti mereka tidak berkaitan dan tidak patut digabungkan. Dalam kedua-dua eksperimen, didapati kaedah yang baru mengatasi kaedah POC dan NCC dalam mengenalpasti kedua-dua imej bertindih dan tidak bertindih. Keberkesanan keadah yang dicadangkan disahkan lagi dengan purata masa pelaksanaan dimana kira-kira dua dan lima kali lebih pendek berbanding dengan kaedah POC dan NCC masing-masing.

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List of Symbols and Abbreviations

Abbreviation	Meaning and Phrases
DFT	Discrete Fourier Transform
FFT	Fast Fourier Transform
NCC	Normalized Cross Correlation
MACE	Minimum Average Correlation Energy
POC	Phase only Correlation
PET	Positron emission tomography
PSR	Peak to sidelobe Ratio
SSD	Sum of Square Difference
RANSAC	Random Sample Consensus
SAD	Sum of Absolute Difference
SPECT	Single-photon emission computed tomography
SSC	Stochastic sign change
SIFT	Scale Invariant Features Transform
SSC	Stochastic sign change
RGB	Red Green Blue
TPR	True Positive Ratio
TNR	True Negative Ratio
FPR	False Positive Ratio
FNR	False Negative Ratio
MATLAB	Matrix Laboratory

CHAPTER 1

Introduction

1.1 Chapter Overview

Panorama image creation is a process of overlaying a set of images into one coordinate system taken at different viewpoints and different time to generate a wider viewing panoramic image. The most important step in panorama image is image stitching whose components are image registration and image blending. In image registration, portions of adjacent or consecutive images are modelled to find a merging position and the transformation which align the images. Once the images are successfully matched, they are merged to form a wider viewing panorama image in such a way that makes the border seamless (Chen, 1998).

In this chapter, a background study of image stitching is presented. This is followed by a section where the objectives of the thesis are stated. Finally, the outline of the thesis is described in the last section.

1.2 Background study

Image stitching has been an active research area for the last few decades due to its importance and implications in many applications such as modern medical imaging, computer vision, remote sensing and environmental monitoring (Maintz & Viergever, 1998; Szeliski, 2006; Zitova & Flusser, 2003). Earlier researches on image stitching were tailored for scientific or military applications such as stitching astronomical images or different aerial images in order to obtain a large map (Milgram, 1975).

Basically, image stitching is a process of generating a larger image by combining a series of smaller, overlapping sub-images. It consists of two steps namely image registration and image merging (blending). An image stitching method is usually classified according to its image registration strategy. There are two main groups of registration strategies used in image stitching and they are the direct based and feature based methods. Direct based methods work on pixel-to-pixel matching by minimizing the error matrix. Once the error matrix is obtained, a search technique such as full search, hierarchical coarse-to-fine and Fourier transform can be applied (Szeliski, 2006).

Feature based methods first extract distinctive features such as corner or edges in the two images. In order to match these features, a global correspondence is established by comparing the feature descriptors. Then images are warped according to the parametric transformations that are estimated from those correspondences (Szeliski, 2006).

Direct based methods have the advantage that they use all of the available image data and hence can provide very accurate registration, but being iterative methods, they are time consuming. To speed up the computation, Fourier Transform is implemented for the search technique. Feature- based methods on the other hand, do not require initialization but they can be time consuming also and for the majority of cases, finding features inside component images are difficult (Kumar, 2010).

Theoretically, direct based methods are more flexible than the other registration methods, since they do not start by reducing the grey-level image to relatively sparse extracted information, but use all of the available information throughout the registration process. In this thesis, a direct based registration method using MACE filters is proposed for image registration.

1.3 Thesis Objectives

The main objectives of the work presented in this thesis are stated as follows.

- 1) To develop a direct based stitching method that employs minimum average correlation energy (MACE) filters.
- 2) To measure the accuracy and efficiency of the developed technique using measurable performance indicators.
- 3) To compare the performance of the method against two other Direct-Based Correlation Matching techniques specifically the Phase only Correlation (POC) and Normalized-Cross Correlation (NCC) methods.

1.4 Thesis Outline

In Chapter 2, a literature review of common approaches for image stitching and registration is presented. This is followed by a discussion on some well-known image registration methods where several categories of direct and feature based image registration methods are described.

In Chapter 3, details of the proposed image stitching method are given. Steps used to construct the panoramic image and perform the matching process are elaborated.

In Chapter 4 presents a case study where the proposed method is used in medical image analysis. Here, the method is employed to match and stitch X-ray images. The accuracy of the results obtained is then measured by several parameters as described in chapter 3. Then its performance is compared to those the Phase Only Correlation (POC) and Normalized Cross Correlation (NCC) methods using the same database.

In Chapter 5, a second case study using natural images of outdoor images and indoor images is demonstrated. Again, the results of the automatic image stitching by the method are compared to those obtained by the POC and NCC methods.

Finally, a summary of the entire work is presented in Chapter 6. Suggestions for future works are proposed and conclusions are drawn.

CHAPTER 2

Literature Survey

2.1 Chapter Overview

In this chapter, a survey of the literature related to panorama image creation is presented. The focus of this survey is on image stitching approaches related to the method that will be proposed in the next chapter. First, a general overview of steps involved in panorama image making process is provided. Details of each step together with its theoretical and conceptual background are provided. For image registration step, a comparison is made between direct based and feature based methods to find the advantages and drawbacks of each category. Then, examples of contemporary works in both categories are given. This is followed by samples of image blending strategies developed by various researchers before a conclusion is made.

2.2 Panorama Image Making Process

Panoramic image making is the process of generating a bigger panoramic image by combining a series of smaller, overlapping images (Chen, 1998). It consists of a number of steps including image acquisition, pre-processing and image stitching. Figure 2.1 shows the general flow of steps in the process.

The first step taken in the generation of a panoramic image is image acquisition. Images can be taken from different sensors like cameras or from a single camera but from different positions or angles. Once the images are digitized and stored, some pre-

processing might be necessary before the images can be stitched (Chen, 1998). This is to remove any distortion or noise caused by the cameras.

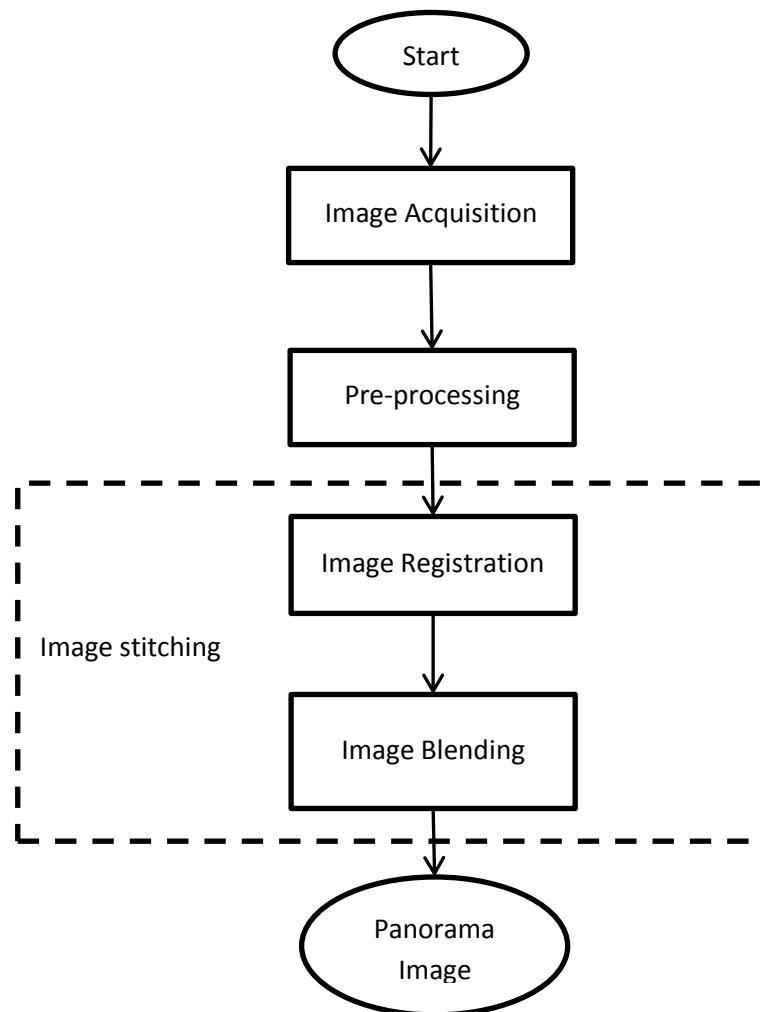


Figure 2.2: Flowchart of steps in panorama image making

The next step is image stitching which is the main process in panorama image making. Image stitching process comprises of image registration and image blending. During image registration, portions of adjacent images or overlapping area for the images are compared to find the image model which aligns the images. Once the overlapping images have been registered, they need to be stitched and blended together to form a wider panoramic image. The process of image blending is performed to make the transition between adjacent images visually undetectable (Chen, 1998).

2.3 Image Acquisition

Image acquisition is the process of capturing the images. This can be taken from different sensors such as camera, webcam or x-ray equipment. The objective of image acquisition is to transform optical images into 2D arrays of numerical data which can be manipulated by a computer (Awcock & Thomas, 1995). To create a panorama image, each image acquired from the sensor should be partially overlapping with the previous and the following images. It is desirable for the current image to have sufficient overlapping area with the previous and the following images at least 30% of overlapping area is recommended (Chen, 1998). The larger the overlapping region the easier it is for adjacent images to be merged.

There are three common set-ups for image acquisition that can be used to capture input images which will produce different types of panoramic images. In the first set-up, the camera is set upon a tripod and the images are captured while rotating the camera. The second set-up places the camera on a sliding plate and the images are obtained by shifting the camera on a sliding plate. The third set-up is where the camera is held in a person's hands and the person takes the images by turning around on the same spot, or walking in a direction perpendicular to the camera's view direction (Chen, 1998). However, images acquired by this method can be difficult to stitch, due to the amount of unwanted camera rotation or translation during the acquisition of images. Therefore, when taking images using portable handy camera, careful steps must be taken to avoid distortion caused by hand movement.

2.4 Image pre-processing

Raw digital images acquired from sensors are usually corrupted by noise and other undesirable effects such as occlusion and distortion. Thus, it might be necessary to apply pre-processing procedures to clean these effects (da Fontoura Costa & Cesar, 2009). The aim of image preprocessing is to modify the pixel values of the digitized images so that they are more suitable for subsequent operations in image processing (Awcock & Thomas, 1995). The process of image pre-processing can be divided into image enhancement and image restoration. Image enhancement attempts to improve the quality or to emphasize certain aspects of the image. On the other hand, image restoration aims to recover the original image after it has been corrupted by geometric distortion within the camera system or blur caused by poor optic or movement. Both types of operations take the acquired image array as input and produce an improved modified image array as output (Awcock & Thomas, 1995).

Conventional image enhancement techniques include color conversion, histogram conversion and color composition. Images can be categorized into color images and grey-level images. Each pixel of the grey-level image has only one component value as opposed to color images pixels; therefore, there have been many algorithms for contrast enhancement that can be applied on grey-level images. On the other hand, since each pixel of color images consists of color information as well as grey-level information, these typical techniques for grey-level images cannot be applied to color images (Xiao & Ohya, 2007). Thus, color conversion is usually necessary before applying any image processing operation.

In color conversion, color information from one color space is converted to another. The dominant colors in the visible portion of the light spectrum can be divided into three component which are red, green and blue. These three colors are considered the

primary colors in the visible light spectrum. The RGB color space, in which color is specified by the amount of Red, Green and Blue present in the color, is known as the most popular color space (Xiao & Ohya, 2007). Pixels in the original color image can be represented as the vector $I(x, y) = [I_r(x, y) \ I_g(x, y) \ I_b(x, y)]^T$, where the r, g, and b subscripts denote the red, green, and blue color planes, respectively (Gonzalez, Woods, & Eddins).

Image restoration, is concerned with the reconstruction of the uncorrupted image from a blurred and noisy one. An image restoration algorithm is different from image enhancement methods in that they are based on models for the degrading process and for the ideal image (Lagendijk & Biemond, 1999). Image restoration using linear spatially invariant restoration filter can be modeled mathematically as follows.

$$g(n_1, n_2) = d(n_1, n_2) * f(n_1, n_2) + w(n_1, n_2)$$

where $f(n_1, n_2)$ denotes the desired ideal spatially discrete image that does not contain any blur or noise, $d(n_1, n_2)$ is the blurring function, $g(n_1, n_2)$ is the degraded image and $w(n_1, n_2)$ is the noise that corrupts the blurred image.

To remove noise or blur from an image, linear filter can be used. One example of linear filter is an inverse filter. Inverse filter can be modeled mathematically as below

$$h_{inv}(n_1, n_2) * d(n_1, n_2) = \sum_{k_1=0}^{N-1} \sum_{k_2=0}^{M-1} h_{inv}(k_1, k_2) d(n_1 - k_1, n_2 - k_2) = I(n_1, n_2)$$

$h_{inv}(n_1, n_2)$ is the inverse of the blurring function $d(n_1, n_2)$ and $I(n_1, n_2)$ is an identity matrix. Inverse filter has the advantages where it only requires blur point spread function as a priori knowledge, and that it allows for perfect restoration in the case that noise is absent (Lagendijk & Biemond, 1999).

2.5 Image Registration

The main process in panorama image stitching is registration. Image registration can be defined as a process of overlaying two or more images of the same scene taken at different times, from different viewpoints, and by different sensors (Zitova & Flusser, 2003). In this thesis, the image registration process is limited to finding the correct translation to align and merge adjacent images. More generally, in image registration, portions of two adjacent or consecutive images are compared to find the position and the needed transformation that will be used to combine the images seamlessly. Image registration can be classified into direct method and feature based method.

Direct based methods use pixel to pixel matching to maximize a measure of image similarity between two sub-images and subsequently find a parametric transformation to combine the two sub-images. Feature-based methods first extract salient features such as corners from the two sub-images and then establish reliable feature correspondences by comparing the features. Then images are warped according to parametric transformations that are estimated from those correspondences (Feng, 2010). Direct methods have the advantage that they use all of the available image data and hence can provide very accurate registration, but being iterative methods, they require initialization. Unlike direct based methods, feature-based methods do not require initialization but they are time consuming and for the majority of cases, finding features in sub-images are difficult (Li & Ma, 2006). Some other methods can be regarded as the combinations of the two above-mentioned methods (L. G. Brown, 1992; Chen, 1998; Zitova & Flusser, 2003).

Variants of image registration algorithm are used in many other applications such as stereo vision and video compression schemes. Similar parametric motion estimation

algorithms have found a wide variety of applications, including video summarization, medical imaging and remote sensing. For some previous surveys of image registration techniques see (L. G. Brown, 1992; Chen, 1998; Zitova & Flusser, 2003).

2.5.1 Direct based method

Hoh et al. (Hoh, 1993) compared the SAD and SSD similarity measures for the rigid registration of cardiac PET emission images. In the SAD method, registered images are subtracted pixel-by-pixel, and the mean value of the sum of the absolute intensity difference of all the pixels in the subtracted image is computed. Although the two methods are similar, in the SSD the squared intensity difference is calculated whereas in the SAD method the absolute difference is used. It is found that the SSD is the optimum measure when registered images differ only by Gaussian noise, (Fitzpatrick, 2000; Makela et al., 2002; Paul, 1997). In the paper, the effects of various defects and misalignments were simulated. No significant differences in the translation or rotation errors of the SAD and SSD algorithms were found.

Slomka et al. (P. J. Slomka, Gilbert, A. H., Stephenson, J., & Craddock, T., 1995) compared the SAD and SSC methods for affine registration of SPECT emission images to templates. Slomka et al. (P. J. Slomka, Gilbert, A. H., Stephenson, J., & Craddock, T., 1995) found out that the SAD method provided better results than the SSC. This method was later utilized for the quantification of SPECT images as a clinical tool (P. J. slomka, Radau, P., Hurwitz, G. A., Dey, D., 2001). The SSD-based similarity measure has also been applied in rigid motion correction of gated heart perfusion MR images (Bidaut, 2001).

Cross-Correlation is a basic statistical approach used as a similarity measure in many image registration procedures. It is a match metric between two sub-images. This

similarity measure is widely used since it can be computed efficiently using the Fast Fourier Transform (FFT) especially for combining large sub-images of the same size. Furthermore, both direct correlation and correlation using FFT have costs which grow at least linearly with the image area. Turkington et al. (Turkington, 1997) utilized cross-correlation measure for the rigid alignment of dynamic cardiac PET images to cardiac templates. The method used only translations, assuming that the orientation of the heart remains the same during the study.

The cross-correlation technique has also been proposed for rigid motion correction of cardiac SPECT images (M. K. O'Connor, Kanal, K. M., Gebhard, M. W., & Rossman, P. J. , 1998), (M. K. O'Connor, 2000). Bettinardi et al. (Bettinardi, 1993) utilized the cross-correlation measure to rigidly register two PET transmission images for patient repositioning. Cross-correlation measure was also used for the correction of the patient motion in the PET heart studies with the help of PET transmission images, taken before and after emission imaging (Bettinardi, 1993).

Kumar et al. (Kumar, 2010) proposed a method for stitching medical image using histogram matching coupled with sum of squared difference to overcome the drawback of feature based method for image alignment (Kumar, 2010). Although their method improves the efficiency of the similarity measure and search, they still have increasing complexity and the degrees of freedom of the transformation are increased. Furthermore, hence the sum of squared difference method is not differentiable at the origin; it is not well suited to gradient descent approaches.

Yu and Mingquan adopted the grid based registration method for the medical infrared image (Y. Wang, & Wang, M. , 2010). They used the sum of squared difference metric to measure similarity between the pixels in the two images. In order to improve the registration accuracy and reducing the computational time; they divided the registration process into two steps. The first step is rough registration, which

records the best registration point position, while the second step is precise registration. When the current best registration point as the centre, the template moves n grids and computes the square of difference of corresponding pixels in the two images (Y. Wang, & Wang, M. , 2010). The processing time decreased slightly by using the two steps, but still suffers from the complexity. An alternative to taking intensity differences is to perform correlation, i.e., to maximize the product (or cross-correlation) of the two aligned images.

Čapek (Čapek, 2002) utilized the point matching method together with the normalized correlation coefficient (NCC) to evaluate a similarity measure of X-ray image. They claim that their method gave precise and correct results but the time taken for processing is long (Čapek, 2002). The normalized cross-correlation (NCC) score is always guaranteed to be in the range $[-1, 1]$, which makes it easier to handle in some higher-level applications (such as deciding which patches truly match). However, the NCC score is undefined if either of the two patches has zero variance. In fact, its performance degrades for noisy low-contrast regions.

Matsumoto et al. (T. Matsumoto, Takahashi, T., Iwahashi, M., Kimura, T., Salbiah, S. & Mokhtar, N., 2011) use Phase Only Correlation (POC) based on Fast Fourier Transform to generate panorama image of the ceiling (ceiling map) between two adjacent frames in the video. Similarly, the location of another robot can be estimated on the ceiling map by using a visual motion calculated from POC between the current frame and the previously generated ceiling map. POC is only enough when the robot move straight. When the robot makes a turn, panorama image cannot be match using POC. Therefore, Rotation Invariant Phase only Correlation (RI-POC) is proposed to match adjacent image which was rotated (T. Matsumoto, Takahashi, T., Iwahashi, M., Kimura, T., Salbiah, S. & Mokhtar, N., 2011). However, because of complexity, RIPOC requires double computation to locate the robot. To cope with this problem, the

Functionally Layered Coding (FLC) was proposed (T. Matsumoto, Takahashi, T., Iwahashi, M., Kimura, T., Salbiah, S. & Mokhtar, N., 2010).

Savvides M. et al. (Savvides, Kumar, & Khosla, 2002) use Minimum Average Correlation Energy (MACE) filter for face verification. A comparison of verification performance between the correlation filter method and individual Eigenface Subspace Method (IESM) shown that MACE filter offers significant potential for face verification. Correlation method had the advantages include shift-invariant and ability to suppress inposter faces using a universal threshold.

2.5.2 Feature based method

The development of image matching by using a set of local interest points can be traced back to the work of (Moravec, 1981) on stereo matching using a corner detector. The Moravec detector was improved by Harris and Stephens (Harris & Stephens, 1988) to make it more repeatable under small image variations and near edges. Harris also showed its value for efficient motion tracking and 3D structure from motion recovery (Harris, 1993), and the Harris corner detector has since been widely used for many other image matching tasks. While these feature detectors are usually called corner detectors, they are not selecting just corners, but rather any image location that has large gradients in all directions at a predetermined scale.

The initial applications were to stereo and short-range motion tracking, but the approach was later extended to more difficult problems. (Zhang, Deriche, Faugeras, & Luong, 1995) showed that it was possible to match Harris corners over a large image range by using a correlation window around each corner to select likely matches. Outliers were then removed by solving for a fundamental matrix describing the geometric constraints between the two views of rigid scene and removing matches that

did not agree with the majority solution. At the same time, a similar approach was developed by (Torr, 1995) for long-range motion matching, in which geometric constraints were used to remove outliers for rigid objects moving within an image.

The ground-breaking work of (Schmid & Mohr, 1997) showed that invariant local feature matching could be extended to general image recognition problems in which a feature was matched against a large database of images. They also used Harris corners to select interest points, but rather than matching with a correlation window, they used a rotationally invariant descriptor of the local image region. This allowed features to be matched under arbitrary orientation change between the two images. Furthermore, they demonstrated that multiple feature matches could accomplish general recognition under occlusion and clutter by identifying consistent clusters of matched features. The Harris corner detector is very sensitive to changes in image scale, so it does not provide a good basis for matching images of different sizes.

Lowe (D.G. Lowe, 1999) extended the local feature approach to achieve scale invariance. This work also described a new local descriptor that provided more distinctive features while being less sensitive to local image distortions such as 3D viewpoint change.

Brown and Lowe (M. Brown, & Lowe, D.G., 2007) proposed a fully automated panoramic image stitching using Scale Invariant Features Transform (SIFT) (D. G. Lowe, 2004) to extract and match features between all of the images. From the features matching step, image that have a large number of matches between them is identify. Random Sample Consensus (RANSAC) is use to select a set of inliers that are compatible with a homography between the images. Next, a probabilistic model is applied to verify the match. Bundle adjustment is use after that to solve for all of the camera parameters jointly. By applying a global rotation such that up-vectors \mathbf{u} is vertical (in the rendering frame) effectively removes the wavy effect from output

panoramas. Brown and Lowe had successfully matched multiple panoramas in unordered image set and stitch them fully automatically without user input (M. Brown, & Lowe, D.G., 2007).

Lepetit and Fua (Lepetit & Fua, 2004) introduced a simplified orientation correction technique for real-time applications. The method only considers intensity changes along a fixed-size circular region centred on each key-point. It is not, however, robust to scale changes or out-of-plane rotations. The rotation invariance of their proposed system still comes primarily from the multiple view training. Later Lepetit and Fua (Lepetit & Fua, 2006) in their experimental results indicate a large number of training views are crucial to the system's reliability. However, even the affine transformation space for simple planar objects has six parameters and thus demands a huge number of training views for stable and reliable performance. For example, if only 100 features are kept for each object, then 1000 training views will generate 100,000 feature vectors per object. Consequently, proper feature selection is crucial for fast and accurate performance of the whole system (Q. Wang & You, 2008).

Wang and You (Q. Wang & You, 2008) claims that although SIFT method (D. G. Lowe, 2004) robust to image rotation and noise, but they are typically too computationally expensive to be a component of real time image matching systems, because the process generally involves time-consuming steps such as relative scale searching, dominant orientation calculation, and pixel values extraction from irregular regions (Q. Wang & You, 2008). (Q. Wang & You, 2008) propose a different approach combining feature selection and multiple-view training into one unified framework to enhance rotation invariance in real-time image matching system. First a small number of rotation-dominant views are constructed to obtain a set of descriptors for each view track. Then for those feature points with a high repeatability, raw ranking scores (RRS) are calculated based on feature distinctiveness and invariance. Finally, the raw ranking

score is rescaled, weighted and combined with the other traditional feature selection criterion for the final ranking score (FRS). Features with high FRS are selected.

Steadly (Steadly, 2005) used SIFT features to automatically and efficiently register and stitch thousands of video frames into a large panoramic mosaic. To reduce the cost of searching for matches between video frames by adaptively identifying key frames based on the amount of image-to-image overlap. Key frames are matched to all other key frames, but intermediate video frames are only matched to temporally neighbouring key frames and intermediate frames. Image orientations can be estimated from this sparse set of matches in time quadratic to cubic in the number of key frames but only linear in the number of intermediate frames. Additionally, the matches between pairs of images are compressed by replacing measurements within small windows in the image with a single representative measurement.

Lee (Lee, 2005) use the corner points for the corresponding features, and morphological structures were used for fast and robust corner detection. (Lee, 2005) used the criterion of the corner strength, which guarantees the robust detection of the corner in most situations. For the transformation, 8 parameters were estimated from perspective equations, and bilinear colour blending was used to construct a seamless panoramic video. From this experiments, the proposed method yields fast results with good quality under various conditions.

Zheng (Zheng, 1992), proposed a dynamically generated panoramic representation for route recognition by an autonomous mobile robot. The continuous panoramic view (PV) and generalized panoramic view (GPV) were built by using dynamic programming and circular dynamic programming employing feature matching in fine verification. PV and GPV give the advantages of wide fields which brings a reliable result to the scene recognition.

Li and Ma (Li & Ma, 2006) use two stage feature-based robust estimation which quickly searches for a small number of consistent matches defining a transformation that is well approximation to the correct one. After getting all matching pairs, geometric relations of neighbouring points are used to eliminate the false matches, and then Levenberg-Marquardt's nonlinear method is used to minimize the differences and update the related transformations. This paper used a coarse-to-fine method to construct mosaics. Panorama blending with two band blending method gains high quality to overcome large lighting variation between the images.

2.6 Image Blending

Image blending is the process of adjusting the values of pixels in two registered images, such that when the images are matched, the transition from one image to the next is seamless and at the same time the merging images should preserve the quality of the input images as much as possible (Chen, 1998). Image blending is needed to compensate for exposure differences and other misalignments (Szeliski, 2006).

Due to various reasons such as lighting condition and the geometry of the camera set-up, the overlapping regions of adjacent images are almost never the same. Therefore, removing part of the overlapping regions in adjacent images and concatenating the trimmed images often produce images with distinctive seams. A seam is the artificial edge produced by the intensity differences of pixels immediately next to where the images are joined (Chen, 1998). (M. Brown & Lowe, 2003) used multi-band blending in panorama creating. They use 2 band schemes where a low pass image is formed with spatial frequency of wavelength greater than 2 pixels relative to the rendered image and a high pass image with spatial frequencies less than 2 pixels.

Low frequency information is then blend using a linear weighted sum, and high frequency information for image is selected with the maximum weight.

Xiong and Pulli (Xiong & Pulli, 2010) claims that transition smoothing approaches will reduce color differences between sources images to make seams invisible and remove stitching artifacts. It can be divided into two method which is alpha blending and gradient domain image blending. Alpha blending is widely used and fast transition smoothing approach but it cannot avoid ghosting problems caused by object motion and spatial alignment errors. Gradient domain image blending approaches can reduce color differences and smooth color transitions to produce high-quality composite images.

Xiong and Pulli (Xiong & Pulli, 2010) use a simple linear blending when source images are similar in color and luminance but when the colors remain too different, Poisson blending hides visible seams. The use of color correction for the source images can improve qualities of image labeling and image blending. It can also speed up the blending process.

Rankow et.al (Rankov, Locke, Edens, Barber, & Vojnovic, 2005) uses gradient method for blending a mosaic image of tumor for clinical studies. They claim that this method can used to eliminates sharp intensity changes at the image joins. Blending was done by separating color planes, where necessary, applying blending algorithm for each color band and recomposing planes together to get full color image at the output.

Hu (W.C. Hu, 2007) proposed blending method in a two-phase scheme which is the histogram-based blending is first applied in the first phase scheme, and then in the second phase scheme, the weighted blending is used under the result of the first phase scheme. They proved that the performance of the proposed blending method is better than the three basic blending schemes (the weighted blending, the adaptive blending, and the histogram-based blending).

2.7 Summary

In this chapter, a literature survey on the components of a panorama image making is presented. The focus of the survey is on the image stitching which is the most important component in panorama creation. Existing methods for image stitching algorithm are reviewed and categorized into direct based and feature based methods. Some popular direct based methods are discussed and similarly a review of some well-known feature based methods is included. Finally, several popular image blending methods are examined.

Chapter 3

Methodology

3.1 Chapter Overview

One of the simplest forms of correlation filters is known as the matched spatial filter (MSF) (Čapek, 2002; Kumar, 2010). It performs well at detecting a reference image corrupted by additive white noise but this technique suffers from distortion variance, poor generalization and poor localization properties. The reason for this poor performance is because MSF uses a single training filter to generate broad correlation peaks (Lee, 2005). This shortcoming is addressed by introducing another correlation filter that is known as a synthetic discriminant function (SDF). It is a linear combination of MSFs. It linearly combines a set of training images into one filter which further allows users to constrain the filter output at the origin of the correlation filter (Zheng, 1992). These pre-specified constraints are known as ‘peak constraints’. SDF filters provide some degree of distortion in variance but like MSFs they result in large side-lobes and broad correlation peaks that make localization difficult.

To reduce large side-lobes observed in SDFs and to maximize peak sharpness for better object localization and detection, MACE (minimum average correlation energy) filters were introduced. A MACE filter can be obtained from the FFT of a single training image or synthesized from the FFTs of a few training images. When the FFT of a test image is presented, a 2D correlation plane is computed and a sharp correlation peak is observed at the position that produces the maximum correlation between the test image and the training image (da Fontoura Costa & Cesar, 2009; Steedly, 2005; Szeliski, 2006).

For image stitching, the correlation values are very close to zero for all points except at the location where the two sub-images match. Exploiting this simple attribute of the MACE filter, a stitching approach based on pattern correlation (PCB) is developed and its details are presented in the following sections. The proposed system employs correlation filters to find the best matched position for two x-ray images that are combined to form a single image.

In this chapter a method for image stitching is proposed along with the steps required to implement the proposed approach. The pattern matching approach is based on Minimum Average Correlation Energy (MACE) filter. Further details are discussed in subsequent sections.

3.2 Correlation measurement

Correlation provides the measure of similarity between two signals. In the time domain, the correlation of signal g and h is represented by equation (1).

$$corr(g, h) = \int_{-\infty}^{\infty} g(\tau + t)h(t)dt \quad (1)$$

In the frequency domain, the correlation of signals g and h can be computed by multiplying the Fourier transform of one of them to the complex conjugate of the Fourier transform of the other.

$$corr(g, h) \leftrightarrow G(f)H^*(f) \quad (2)$$

The following diagram shows the configuration of the frequency domain correlation operation where the Fourier transform of signal g is multiplied to the complex conjugate of the Fourier transform of signal h .

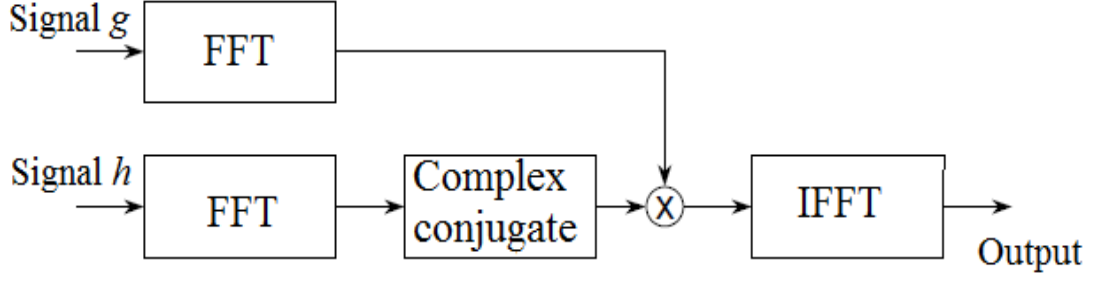


Figure 3.1: Correlation operation in frequency domain

Correlation measurement is the foundation of the registration step of the MACE filter, POC and NCC stitching methods.

3.3 Normalized Cross Correlation (NCC)

The cross correlation between two signals is a standard approach for feature detection (Gonzalez et al.). The cross correlation for two real signal $x(n)$ and $y(n)$ can be defined as

$$r_{xy}(l) = \sum_{-\infty}^{\infty} x(n)y(n-l) \quad (1)$$

The use of cross correlation for template matching is motivated by the distance measure (squared Euclidean distance) (Lewis, 1995)

$$d_{f,t}^2(u, v) = \sum_{x,y} [f(x, y) - t(x-u, y-v)]^2 \quad (2)$$

(The sum is over x, y under the window containing the feature positioned u, v). in the expansion of d^2

$$d_{f,t}^2(u, v) = \sum_{x,y} [f^2(x, y) - 2f(x, y)t(x-u, y-v) + t^2(x-u, y-v)] \quad (3)$$

The term $\sum t^2(x-u, y-v)$ is constant. If the term $\sum f^2(x, y)$ is approximately constant then the remaining cross correlation term

$$c(u, v) = \sum_{x,y} f(x, y) t(x - u, y - v) \quad (4)$$

is a measure of the similarity between the image and the feature. If the image energy $\sum f^2(x, y)$ is not constant however, feature matching by cross correlation can fail. Normalized cross correlation overcomes these difficulties by normalizing the image and template vectors to unit length, yielding a cosine-like correlation coefficient

$$\gamma(u, v) = \frac{\sum_{x,y} [f(x,y) - \bar{f}_{u,v}] [t(x-u, y-v) - \bar{t}]}{\sqrt{\{\sum_{x,y} [f(x,y) - \bar{f}_{u,v}]^2 [t(x-u, y-v) - \bar{t}]^2\}}} \quad (5)$$

Where \bar{t} is the mean of the template and $\bar{f}_{u,v}$ is the mean of $f(x,y)$ in the region under the feature (Lewis, 1995). Consider the numerator in (1) and assume that we have images $f'(x, y) \equiv f(x, y) - \bar{f}_{u,v}$ and $t'(x, y) \equiv t(x, y) - \bar{t}$ in which the mean value has already been removed:

$$num_{\gamma}(u, v) = \sum_{x,y} f'(x, y) t'(x - u, y - v) \quad (6)$$

Equation (2) above is a convolution of the image with the reversed template $t'(-x, -y)$ and can be computed by

$$\mathcal{F}^{-1}\{\mathcal{F}(f')\mathcal{F}^*(t')\} \quad (7)$$

Where \mathcal{F} is the Fourier transform. The complex conjugate accomplishes reversal of the template via the Fourier transform property $\mathcal{F}f * (-x) = F * (\omega)$. The desired position of image matching of the pattern is equivalent to the position (u_{max}, v_{max}) of the maximum value in γ_{max} of $\gamma(u, v)$.

3.4 Phase only Correlation

In general both the magnitude and the phase are needed to completely describe a function in the frequency domain. Sometimes, only information regarding the magnitudes is displayed, such as in the power spectrum, where phase information is completely discarded. However when the relative roles played by the phase and the magnitude in the Fourier domain are examined, it is found that the phase information is considerably more important than the magnitude in preserving the features of an image pattern.

The Fourier synthesis using full-magnitude information with a uniform phase resulted in nothing meaningful as compared to the original images. Inspired by the above findings, investigations of the use of phase-only information for matched filters or pattern recognition have been carried out. It is found that the phase only approach produces a sharp correlation peak.

Consider two $n_1 \times n_2$ images, $f(n_1, n_2)$ and $g(n_1, n_2)$ where we assume that the index range are $n_1 = -M_1, \dots, M_1 (M_1 > 0)$ and $n_2 = -M_2, \dots, M_2 (M_2 > 0)$ for mathematical simplicity, and hence $n_1 = 2 \times M_1 + 1$ and $n_2 = 2 \times M_2 + 1$ (Ito, Aoki, Nakajima, Kobayashi, & Higuchi, 2006). Let $F(k_1, k_2)$ and $G(k_1, k_2)$ denote the two dimension discrete Fourier transforms (2D DFT) of the two images. $F(k_1, k_2)$ and $G(k_1, k_2)$ are given by

$$\begin{aligned} F(k_1, k_2) &= \sum_{n_1, n_2} f(n_1, n_2) W_{N_1}^{K_1 n_1} W_{N_2}^{K_2 n_2} \\ &= A_F(K_1, K_2) e^{j\theta_F(K_1, K_2)} \end{aligned} \quad (1)$$

$$\begin{aligned} G(k_1, k_2) &= \sum_{n_1, n_2} g(n_1, n_2) W_{N_1}^{K_1 n_1} W_{N_2}^{K_2 n_2} \\ &= A_G(K_1, K_2) e^{j\theta_G(K_1, K_2)} \end{aligned} \quad (2)$$

Where $k_1 = -M_1 \dots M_1$, $k_2 = -M_2 \dots M_2$, $W_{N_1} = \exp(\frac{-j2\pi}{N_1})$

$W_{N_1} = \exp(\frac{-j2\pi}{N_1})$ and the operator \sum_{n_1, n_2} denotes $\sum_{n_1}^{M_1} = M_1$ $\sum_{n_2}^{M_2} = -M_2$

$A_F(K_1, K_2)$ and $A_G(K_1, K_2)$ are amplitude components and $e^{j\theta_F(K_1, K_2)}$ and $e^{j\theta_G(K_1, K_2)}$ are phase components. The cross spectrum $R_{FG}(k_1, k_2)$ between $F(k_1, k_2)$ and $G(k_1, k_2)$ is given by

$$\begin{aligned} R_{FG}(k_1, k_2) &= F(k_1, k_2) \overline{G(K_1, k_2)} \\ &= A_F(k_1, k_2) A_G(k_1, k_2) e^{j\theta(k_1, k_2)} \end{aligned} \quad (3)$$

Where $\overline{G(k_1, k_2)}$ denotes the complex conjugate of $G(k_1, k_2)$ and $\theta(k_1, k_2)$ denotes the phase difference $\theta_F(k_1, k_2) - \theta_G(k_1, k_2)$. The ordinary correlation function is given by the two dimension inverse discrete Fourier transform (IDFT) of $R_{FG}(k_1, k_2)$ and is given by

$$r_{fg}(n_1, n_2) = \frac{1}{N_1 N_2} \sum_{k_1, k_2} R_{FG}(n_1, n_2) W_{N_1}^{-k_1 n_1} W_{N_2}^{-k_2 n_2} \quad (4)$$

Is the 2D inverse Fourier transforms of $R_{FG}(k_1, k_2)$

Where \sum_{k_1, k_2} denotes $\sum_{k_1}^{M_1} = -M_1$ $\sum_{k_2}^{M_2} = -M_2$. On the other hand, the cross phase spectrum $\widehat{R}_{FG}(k_1, k_2)$ is defined as

$$\begin{aligned} \widehat{R}_{FG}(k_1, k_2) &= \frac{F(k_1, k_2) \overline{G(k_1, k_2)}}{|F(k_1, k_2) \overline{G(k_1, k_2)}|} \\ &= e^{j\theta(k_1, k_2)} \end{aligned} \quad (5)$$

The phase only correlation (POC) function $\hat{r}_{fg}(n_1, n_2)$ is the 2D IDFT of $\hat{R}_{FG}(k_1, k_2)$ and is given by

$$\hat{r}_{fg}(n_1, n_2) = \frac{1}{N_1 N_2} \sum_{k_1 k_2} \hat{R}_{FG}(k_1, k_2) W_{N_1}^{-k_1 n_1} W_{N_2}^{-k_2 n_2} \quad (6)$$

When $f(n_1, n_2)$ and $g(n_1, n_2)$ are the same image, i.e, $f(n_1, n_2) = g(n_1, n_2)$, the POC function will be given by

$$\begin{aligned} \hat{r}_{ff}(n_1, n_2) &= \frac{1}{N_1 N_2} \sum_{k_1 k_2} W_{N_1}^{-k_1 n_1} W_{N_2}^{-k_2 n_2} \\ &= \delta(n_1, n_2) \\ &= \begin{cases} 1 & \text{if } n_1 = n_2 = 0 \\ 0 & \text{otherwise} \end{cases} \end{aligned} \quad (7)$$

The equation (1) implies that the POC function between two identical images is the kronecker's delta function $\delta(n_1, n_2)$.

3.5 Proposed approach for image stitching system

The proposed approach consists of four steps and they are listed below.

- (i) Image pre-processing
- (ii) Fourier transformation and MACE filter design
- (iii) Inverse transformation, peak and PSR measurements
- (iv) Image blending

The proposed PCB (pattern correlation based) image stitching system is shown in Figure 3.2. It consists of pre-processing; Fourier transformation and MACE filter

design, inverse transformation, peak and Peak to Sidelobe Ratio (PSR) measurement and image blending. In the forthcoming sections, details of each step are discussed.

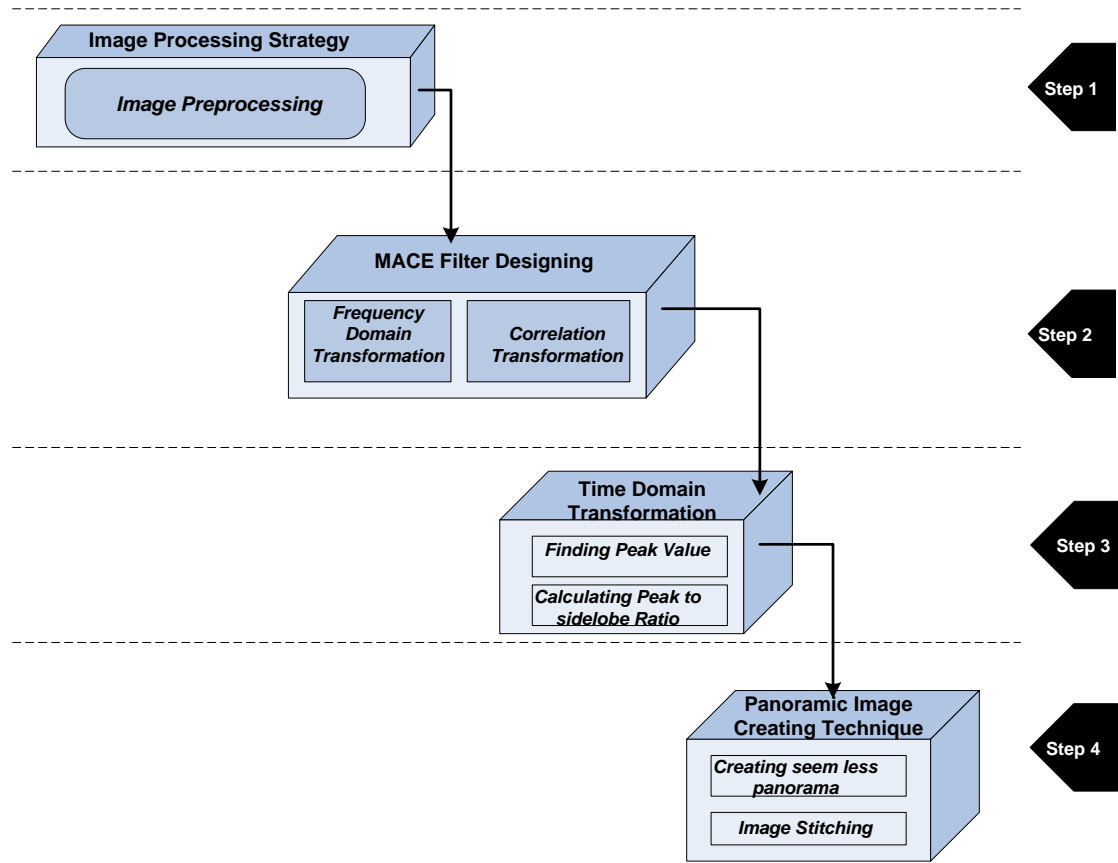


Figure 3.2: Proposed Image Stitching Method

3.6 Image pre-processing

Image pre-processing is the first step needed to prepare the image. In this thesis, the proposed method will be performed using grey-level images. Therefore, if the inputs are color images they will undergo color conversion to grey scale. This is followed by histogram equalization to remove intensity variations caused by external factors such as uneven illumination. Then windowing is performed using Hanning window before Fourier transformation to avoid leakage in the signal caused by its energy smearing out

over a wide frequency range in the FFT. After that FFT is performed on the pre-processed images.

3.6.1 Colour to grey scale conversion

The first step of the proposed method is color to greyscale conversion. Since images from the databases are all in RGB, color conversion is needed before further processing. To convert the RGB values to single grayscale intensity, the following formula is used

$$\text{Intensity} = 0.2989 \cdot \text{red} + 0.5870 \cdot \text{green} + 0.1140 \cdot \text{blue}$$

3.6.2 Histogram Equalization

Intensities in the images are highly sensitive to external factors such as, illumination, reflection, and lighting variation. These external factors affect the distribution of intensities in the histogram of the images ("Application note, understanding FFT window,"), which in turn might affect the accuracy of the ensuing process if left uncorrected. In order to remove the influence of particular contrast and brightness on the intensity of the images, histogram equalization can be applied on the images to re-distribute the intensities throughout the range.

Let f be a given image represented by row and column matrix of integer pixel intensities ranging from 0 to $L-1$. L is the number of possible intensity values, usually 256. Let p denote the normalized histogram of f with a bin for each possible intensity given as;

$$p_n = \frac{\text{number of pixel with intensity}}{\text{total number of pixel}}$$

Where $n=0,1,\dots,L-1$.

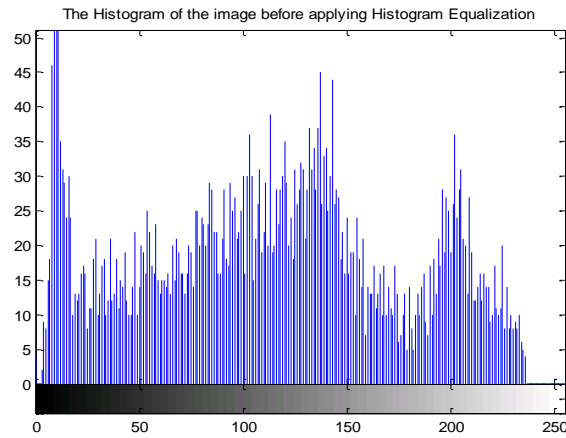


Figure 3.3: Histogram of an image before equalization

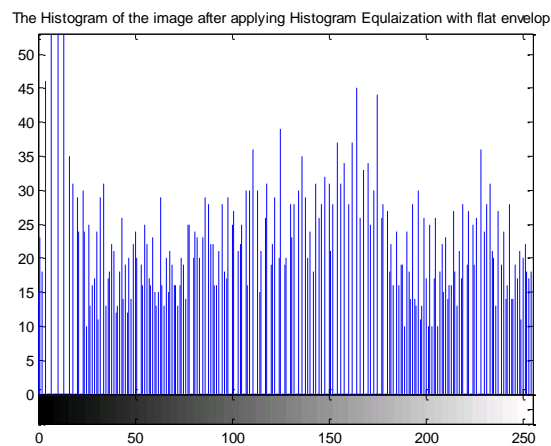


Figure 3.4: Histogram distribution of an image after equalization

3.6.3 Windowing

Since image signal is not periodic in the predefined data block time period, windowing must be applied before taking the FFT of the image to avoid leakage in signal. Leakage is a result from signal energy smearing out over a wide frequency range in the FFT when it should be in a narrow frequency range ("Application note, understanding FFT window,").

Due to the DFT's periodicity, an image can be considered to "wrap around" at an edge, and therefore discontinuities, which are not supposed to exist in real world, occur at every edge in 2D DFT computation (Takita, Aoki, Sasaki, Higuchi, & Kobayashi,

2003). To reduce the effect of discontinuity at image border, 2D Hanning window function is applied to the input images. Hanning window is chosen since it does not suddenly cut off the signal at its edges, but rather rolls off smoothly towards the edge.

3.6.4 Fourier transformation and MACE filter design

The Discrete Fourier Transform (DFT) is a mathematical operation that converts function in time domain into frequency domain. When stitching two images, out of the two input images only one is needed to construct the MACE filter. First, Fourier transformation is performed on both images using the Fast Fourier Transform (FFT). The two images can be regarded as two dimensional (2D) signals $f(n_1, n_2)$ and $g(n_1, n_2)$ and their Fourier transform coefficients are $F(k_1, k_2)$ and $G(k_1, k_2)$ given by Equations 1 and 2 respectively.

$$F(k_1, k_2) = \sum_{n_1, n_2} f(n_1, n_2) W_{N_1}^{K_1 n_1} W_{N_2}^{K_2 n_2} = A_F(k_1, k_2) e^{j\theta_F(K_1, K_2)} \quad (1)$$

$$G(k_1, k_2) = \sum_{n_1, n_2} g(n_1, n_2) W_{N_1}^{K_1 n_1} W_{N_2}^{K_2 n_2} = A_G(K_1, K_2) e^{j\theta_G(K_1, K_2)} \quad (2)$$

where $k_1 = -M_1 \dots M_1, k_2 = -M_2 \dots M_2$, $W_{N_1} = \exp\left(\frac{-j2\pi}{N_1}\right)$, $W_{N_2} = \exp\left(\frac{-j2\pi}{N_2}\right)$.

If $f(n_1, n_2)$ is the image chosen to construct the filter, the MACE filter equation becomes

$$MACE(K_1, K_2) = \frac{F(K_1, K_2)}{F(K_1, K_2) \times \overline{F(K_1, K_2)}} \quad (3)$$

where MACE represents the MACE filter, $F(K_1, K_2)$ is the FFT transformed image and ' $\overline{F(K_1, K_2)}$ ' represents the complex conjugate of $F(K_1, K_2)$. The flowchart of image stitching algorithms is shown in figure 3.5.

The correlation between the MACE filter and the second image is then measured as follows.

$$C_{FG}(k_1, k_2) = ((\overline{G(k_1, k_2)}) \times MACE(K_1, K_2)) \quad (4)$$

Where $\overline{G(k_1, k_2)}$ represents the complex conjugate of $G(K_1, K_2)$.

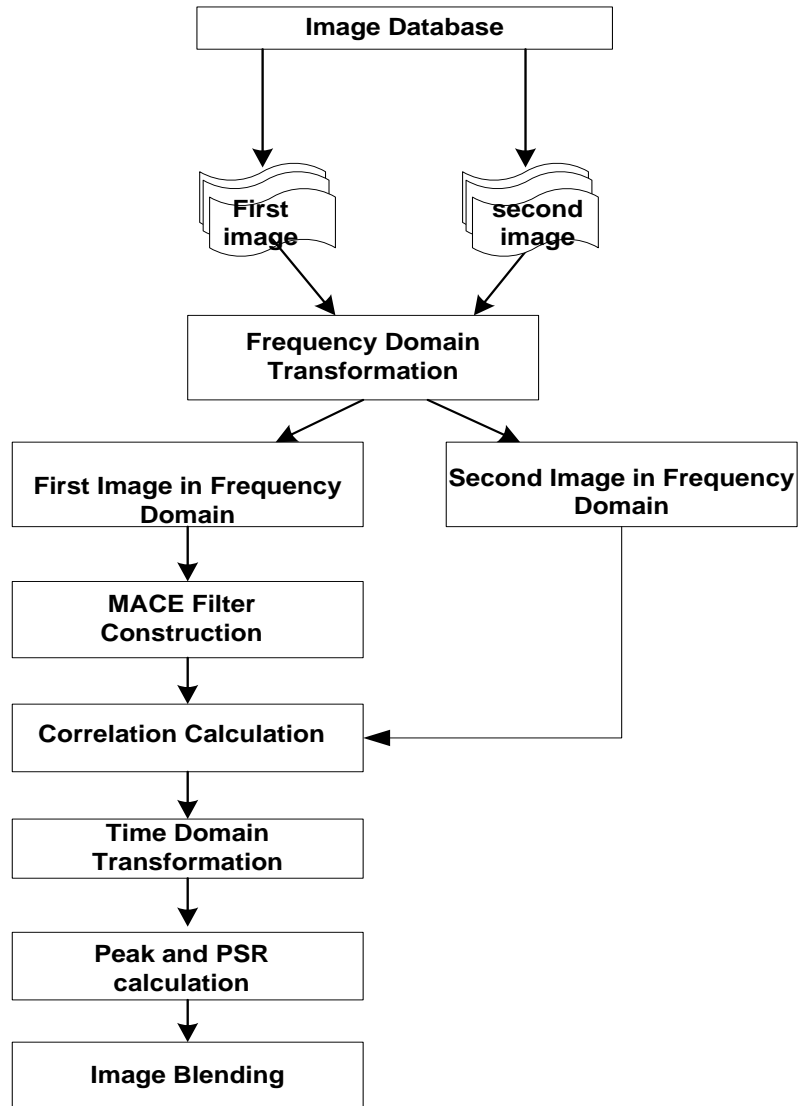


Figure 3.5: Flowchart of the proposed method

3.7 Inverse Transformation, peak and PSR measurements

Since the correlation is measured in frequency domain, it has to be inverse transformed so that the relative values of correlation at various positions can be observed. The inverse Fourier transform of the correlation function is given by Equation 5

$$c_{fg}(n_1, n_2) = \frac{1}{N_1 N_2} \sum_{k_1 k_2} C_{FG}(k_1, k_2) W_{N_1}^{-k_1 n_1} W_{N_2}^{-k_2 n_2} \quad (5)$$

The values of $c_{fg}(n_1, n_2)$ are stored in a 2D correlation plane where the absolute value and location of the highest peak are identified. This position gives the highest correlation between the two input images. To ensure that the two images are indeed overlapping, the Peak to Sidelobe Ratio (PSR) is calculated using the location of the highest peak.

It is observed that the correlation plane for two non-overlapping images is devoid of a dominant peak but contains many non-dominant local peaks. The dominance of the highest peak is related to the value of the PSR. Therefore, it can be used as an indicator of the peak dominance and a threshold can be set to separate dominant peak of overlapping images from non-dominant peak of non-overlapping images. By trial and error, the threshold for the PSR value in the following experiments is set at 15. If the PSR of a pair of matched images is less than 15, the system classifies those images as not overlapping.

The PSR is defined as

$$PSR = \frac{Peak - \mu}{\sigma} \quad (6)$$

Where μ and σ are the mean and standard deviation of the sidelobe region respectively. In our experiment, the area occupied by the peak is estimated to be 5x5 as

indicated by the blue rectangle in Figure 3.6. Thus, the mean and standard deviation of the sidelobe region must be calculated outside of the 5x5 peak area in a 20x20 region. The 20x20 area encloses the 5x5 peak area at its centre.

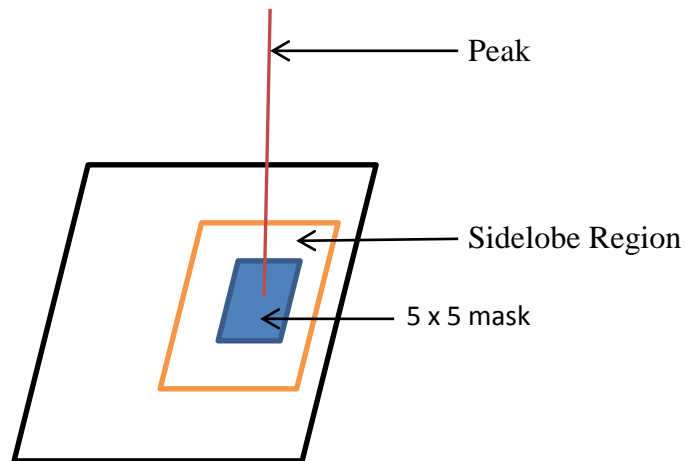


Figure 3.6: The area of the peak and PSR

3.8 Image blending

Once the PSR value is calculated, it will decide whether the image is overlapping or not overlapping. If the value of PSR is higher than the threshold value, the image is considered overlapping and panorama image will be created by blending the input images based on the location of peak value. Otherwise the input images are considered not overlapping and no further action is taken.

In image blending, information from the location of the Peak of the correlation plane is used to translate the images to the right position before merging them. Then the intensities of pixels at the borderline between the two images are adjusted so that the transition from one image to the next is smooth. In our image stitching system we employ alpha blending to adjust the local pixel intensity around the borderline area.

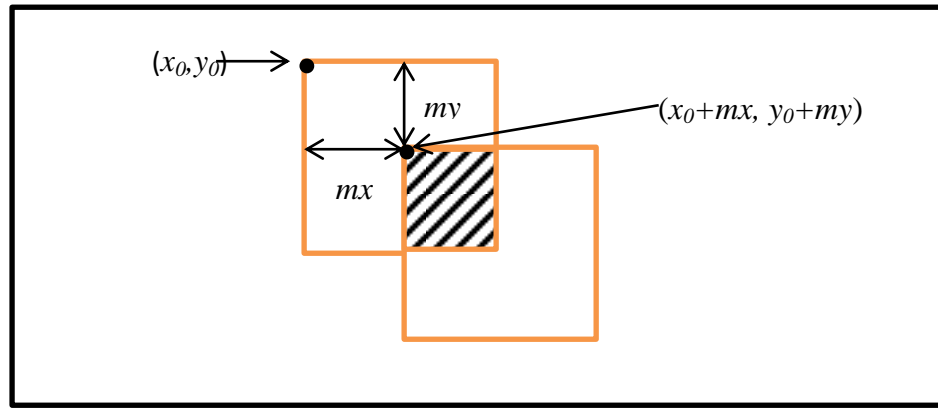


Figure 3.7: Overlapping area of two images.

Figure 3.7 illustrates the process of blending two images to form a panorama image. Suppose mx and my represent the x and y coordinates of the peak in the correlation plane. In this case, when merging the two images, the second image will be translated by mx horizontally and my vertically from the shared origin denoted as (x_0, y_0) . The hatched area in the figure shows the overlapping area.

At the border of the hatched area, there exists an edge line caused by a sudden change of pixel intensity. To overcome this problem, an alpha blending method is used to minimize the edge so that the two images blend smoothly. The formula of the alpha blending is given as:

$$c = (1-\alpha) a + \alpha b \quad (7)$$

Where alpha is defined by the user ranging from 0 to 1, a refers to the first image, b is the second image and c is the resulting panorama image. The objective of blending is to make the transition in overlapping area smooth as depicted in figure 3.8 below.

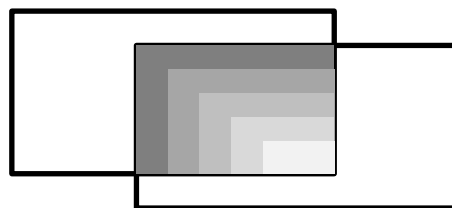


Figure 3.8: blending effect

3.9 Performance Evaluation

The relative performances of the methods are measured by four parameters that represent accuracy and they are True Positive Rate (TPR), False Positive Rate (FPR), True Negative Rate (TNR), and False Negative Rate (FNR). TPR is the ratio of the number of overlapping images detected by the system to the total number of overlapping images. In contrast, FPR is the ratio of the number of non-overlapping images confirmed by the system to the total number of non-overlapping images. FNR and TNR are the complements of TPR and FPR respectively. They are expressed by the equations 8, 9, 10 and 11 as follow;

$$\text{TPR} = \frac{\text{Number of overlapping images correctly detected}}{\text{Total number of overlapping images}} \quad (8)$$

$$\text{FPR} = \frac{\text{Number of non-overlapping images correctly detected}}{\text{Total number of non-overlapping images}} \quad (9)$$

$$\text{FNR} = 100\% - \text{TPR} \quad (10)$$

$$\text{TNR} = 100\% - \text{FPR} \quad (11)$$

Another performance index that indicates the efficiency of the proposed method is the execution time. Besides accuracy, the execution time of the proposed method is also compared to those of the normalized correlation coefficient (NCC) and Phase Only Correlation (POC) methods.

3.10 Summary

In this chapter, the overall strategy of the proposed method, its steps and algorithms are described. Details of pre-processing, Fourier transformation, MACE filter design, inverse transformation, peak and Peak to Sidelobe Ratio (PSR) measurement and image blending are presented. The rationales of implementing the steps along with the explanation on terms are used to measure the performance of the method are elaborated. Now the method will be tested to recognize overlapping images and then used to stitch them in the next chapter.

Chapter 4

Image Stitching of Radiographic Images

4.1 Introduction

Normally, x-ray images are captured using special cassettes and films of limited size since conventional x-ray equipment can only provide a limited visual field. However, in some cases using one x-ray image is not enough to detect any abnormality in human body. Therefore, to construct higher resolution and larger images from the conventional x-ray images, image stitching methods such as the one proposed in chapter 3 can be utilized. In this chapter, the ability of the proposed method to stitch radiographic images is tested. The performance of this method and those of the NCC and POC methods are explored in a few experiments conducted using three different databases. Both the rates of accuracy and execution time of the MACE filter, NCC and POC are compared and summarized.

4.2 Image databases

Three sets of databases were used in the experiments and they contain the x-ray images of spine, scoliosis and hand. There are 20 pairs of overlapping and 20 pairs of non-overlapping spine images in the first database. Likewise, the second database consists of 20 pairs of overlapping and 20 pairs of non-overlapping scoliosis images. The third database contains 40 pairs overlapping and 40 pairs of non-overlapping hand images. These radiographic images are secured from the medical faculty of King Fahd University Hospital and open access databases of X-ray images from the internet.

The proposed algorithm is implemented in MATLAB 7.4 running on a computer with 2.0GHz dual core OPTERON processor and 1.87GB RAM.

4.3 Spine image stitching

Spine functions to support weight and ties our body together. The spinal column consists of a stack of small bones that range in size from 2-3 inches to 5-6 inches in diameter. X-ray imaging is an important procedure to diagnose injury or deformation to spine. Spine x-ray can be taken separately in 3 main parts which is on the neck (cervical), mid back (thoracic), and lower back (lumbar). To produce the whole spine image, digitized images from the three different parts can be assembled by stitching.

Two sets of experiments were carried out using the first database which contains 20 pairs of overlapping and 20 pairs of non-overlapping images. The PSR threshold value was set at 15 by trial and error. The system successfully located the peak and calculated the PSR value of each pair of input images. Figure 4.1 shows a pair of overlapping images that are correctly detected as overlapping. The PSR value and peak values are 16.031 and 0.2681 respectively, as shown in the figure 4.1. Figure 4.2 shows the correlation plane for the x-ray images in Figure 4.1. Since the PSR value is higher than the threshold, the two images are classified as overlapping and merged according to the information derived from the position of the highest peak as shown in Figure 4.3. In summary, the PSR value reflects the correlation between two images. The higher the PSR the more similar the two images are.



Figure 4.1: A pair of overlapping Images with Peak and PSR value.

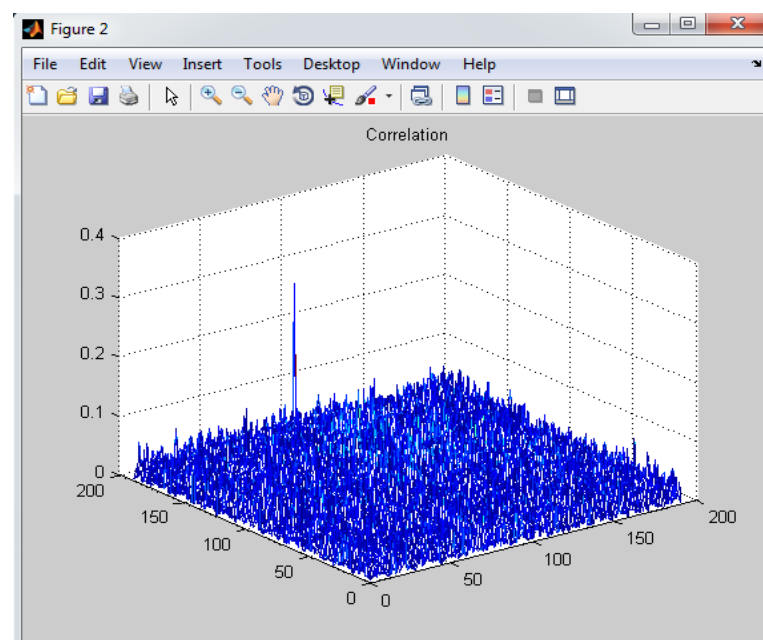


Figure 4.2: Correlation Plane for images in figure 4.1



Figure 4.3: Blended Image for images in figure 4.1

Another pair of overlapping test images is shown in Figure 4.4. The correlation plane and the final merged image are shown in Figures 4.5 and 4.6 respectively. Out of 20 pairs of overlapping images, 19 were detected and matched correctly. 1 pair of overlapping images were detected as overlapping but not matched correctly.

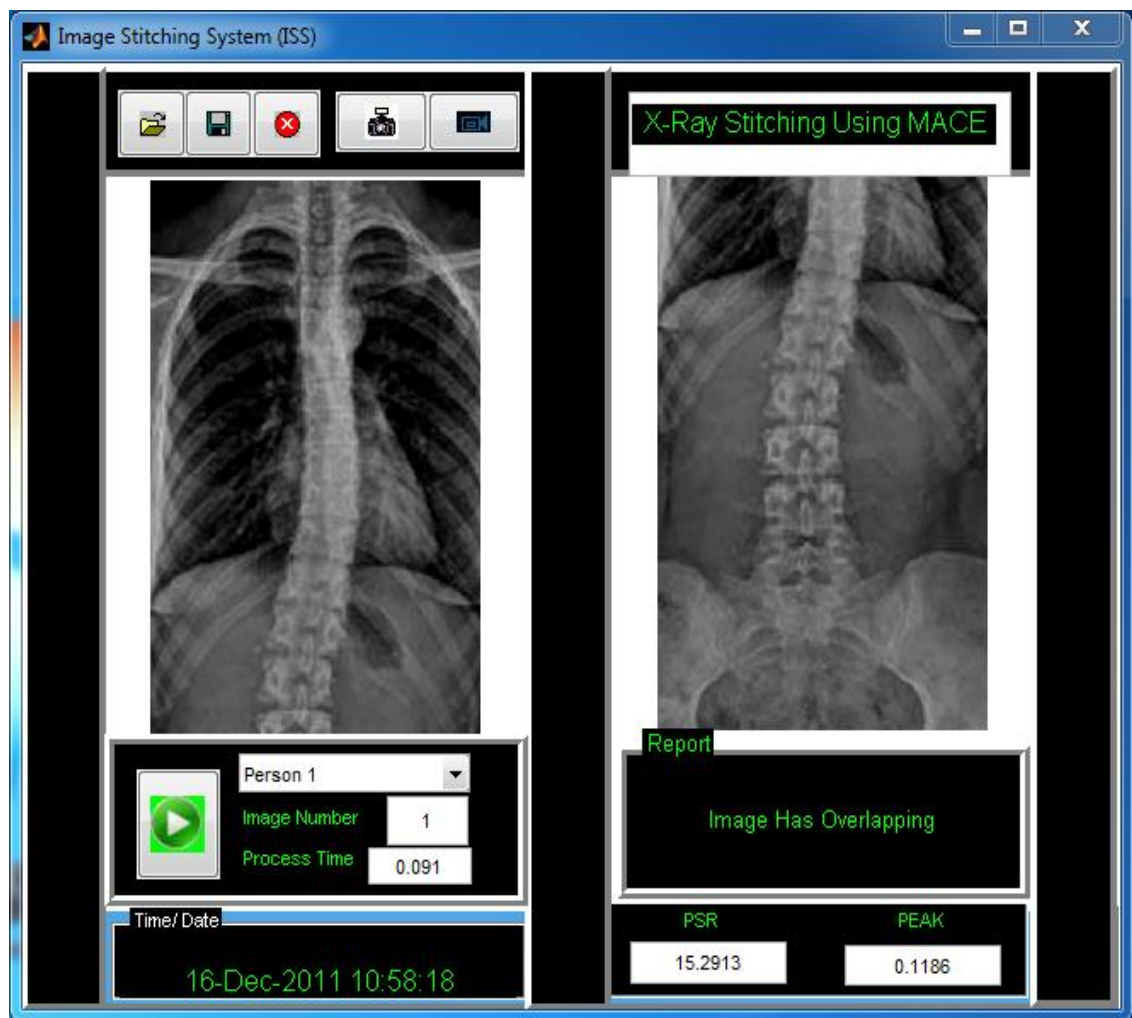


Figure 4.4: A pair of overlapping images.

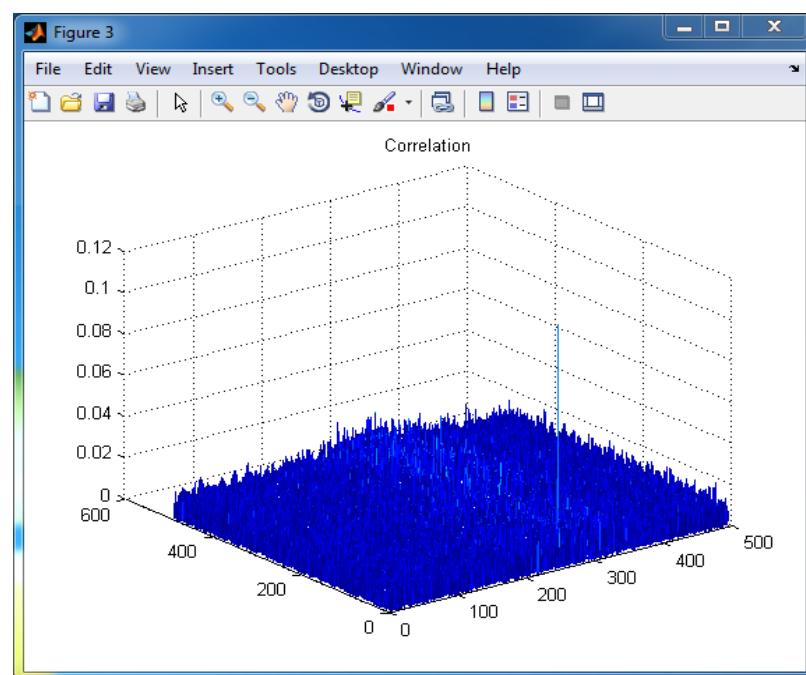


Figure 4.5: Correlation plane for images in figure 4.4.



Figure 4.6 blended image for images in figure 4.4.

In the second set of experiments, 20 non-overlapping images were presented to the system. The system ruled that all these images were uncorrelated since their PSR values were lower than the threshold. An example of a pair of non-overlapping images is shown in Figure 4.7. Figure 4.8 shows the correlation plane of these images. As

observed, there is no dominant peak in the correlation plane which results in a PSR lower than the threshold. Further observation of Figure 4.8 reveals that besides the highest peak there are a few high local peaks in the correlation plane.

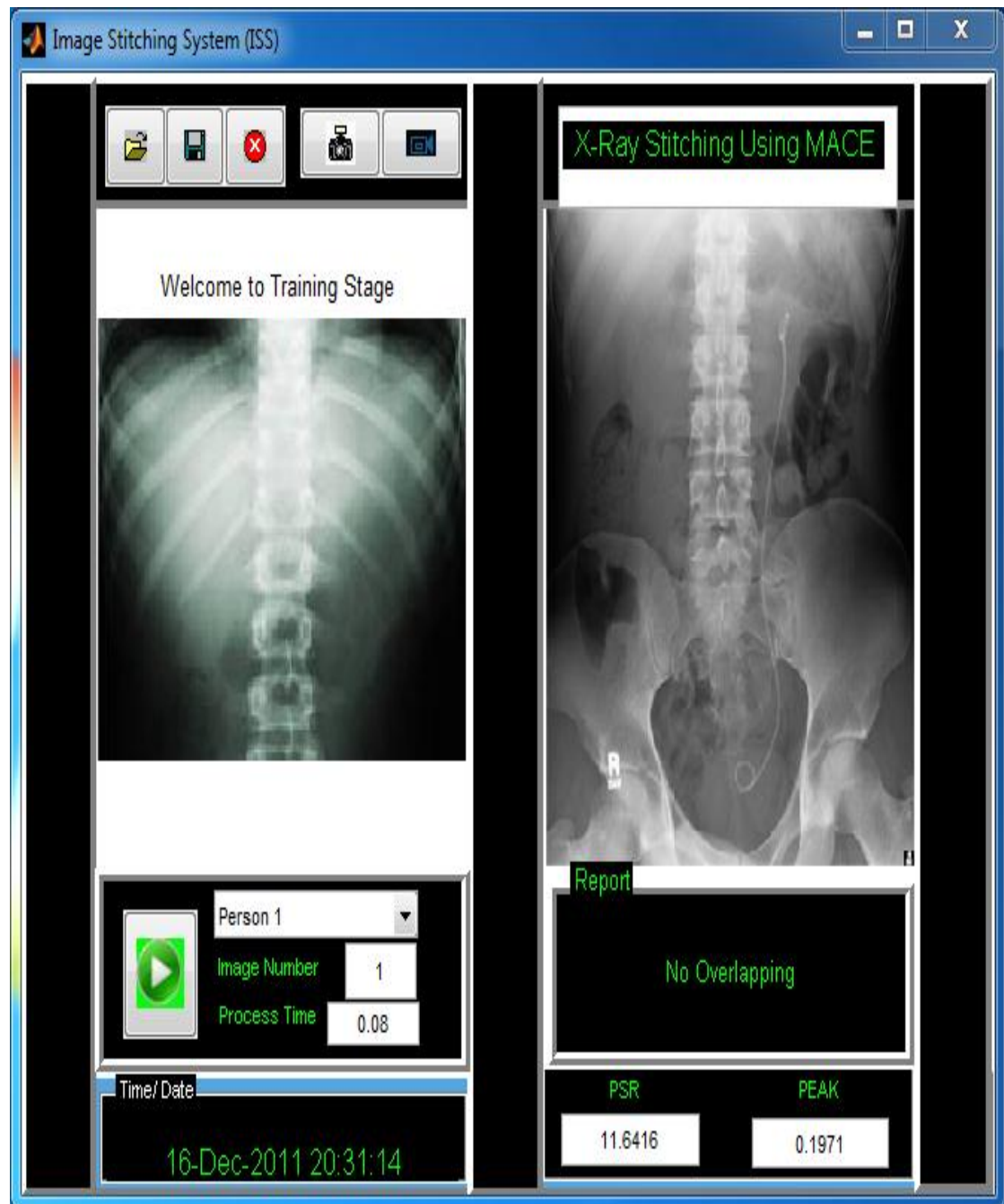


Figure 4.7: A pair of non-overlapping images

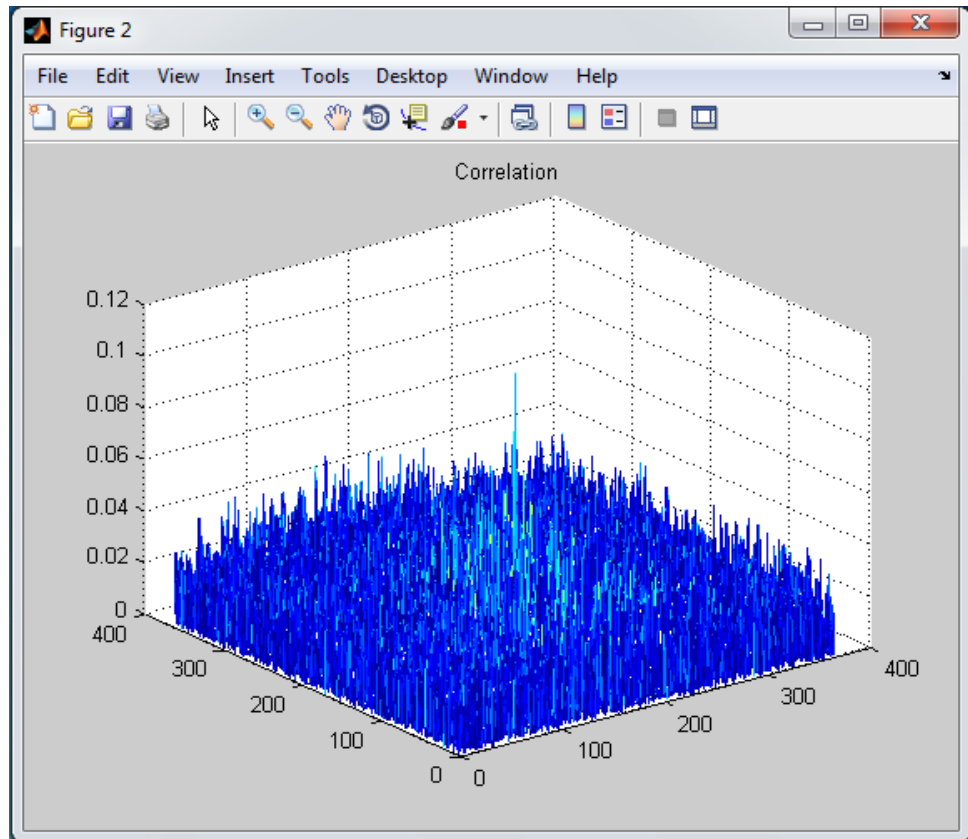


Figure 4.8: Correlation plane for images in figure 4.7.

The performance of the proposed method is compared against those of the NCC and POC methods using the same database. The relative performances of the methods are measured by four quantities namely True Positive Rate (TPR), False Positive Rate (FPR), True Negative Rate (TNR), and False Negative Rate (FNR) as described earlier. The performance comparison is summarized in Table 4.1.

Table 4.1: Results of matching pairs of overlapping images using (TPR) and (FNR) Rates

Methods	Total number of overlapping images	No. of overlapping images correctly identified and stitche	TPR (%)	FNR (%)	Average processing time (second)
Proposed	20	19	95%	5%	0.1
NCC	20	18	90%	10%	0.5
POC	20	18	90%	10%	0.2

Table 4.2: Results of matching pairs of non-overlapping images using (FPR) and (TNR) Rates

Methods	Total number of non overlapping images	No. of non overlapped images correctly identified (FPR)	FPR (%)	TNR (%)	Average processing time (second)
Proposed	20	20	100%	0%	0.07
NCC	20	19	95%	5%	0.24
POC	20	20	100%	0%	0.11

1 pair of overlapping images was detected as overlapping but not matched correctly. This is the only error for the proposed MACE filter method in Table 4.1. The detection rate of non-overlapping images is 100% for the proposed and POC methods. It can be observed that the processing or execution time of the MACE filter method is much lower than those of the other two methods.

4.4 Scoliosis image stitching

Scoliosis is a disease that causes an abnormal curve of the spine by ten degree or more in about 2.5% of most population (Asher & Burton, 2006). Scoliosis patient develop additional curves between upper and lower spine, and the bones of the spine twist on each other, forming a ‘C’ or “S” shape. In most cases, the cause of the disease is unknown.

Scoliosis patients can be divided into three groups; infantile, before age 3 years; juvenile, age 3 to ten years; and adolescent, age 10 years or more (Asher & Burton, 2006). Untreated scoliosis may cause shortness of breath and premature death. X-ray

image of the spine is taken to measure and quantify the seriousness of the disease before further treatment.

Depending on the degree of the curvature and whether it gets worse over time, the doctor may recommend surgery. If the curve is less than 25° , no treatment is required, and the sufferer should be reexamined every four to six months. If the curve is more than 25° but less than 30° , a back brace may be used for treatment. Curves that are more than 45° will need to be evaluated for the possibility of surgical correction. Surgical correction involves fusing vertebrae together to correct the curvature and may require inserting rods next to the spine to reinforce the spine.

When presented with a pair of scoliosis images, the tested methods would determine whether the two images were overlapping. All of them would measure the peak value and calculate the PSR. If the PSR was bigger than 15, the images would be classified as overlapping. Figure 4.9 show a pair of overlapping scoliosis images and Figure 4.10 shows their correlation plane. Since their PSR value is greater than 15, they are stitched into a single image as depicted by Figure 4.11. Figures 4.12, 4.13 and 4.14 show another pair of overlapping scoliosis images, their correlation plane and stitched image respectively. Finally, figures 4.15, and 4.16 show a pair of non-overlapping scoliosis images and their respective correlation plane.

The results of the experiments with the second database involving overlapping and non-overlapping scoliosis images are summarized in Table 4.3 and 4.4 respectively. For overlapping scoliosis images, the PSR of one pair of images is lower than the threshold value for the MACE filter approach. The other two approaches record 3 similar cases. For non-overlapping scoliosis images, the proposed MACE filter and POC approaches record perfect accuracy while the NCC approach misclassifies only one pair of images.

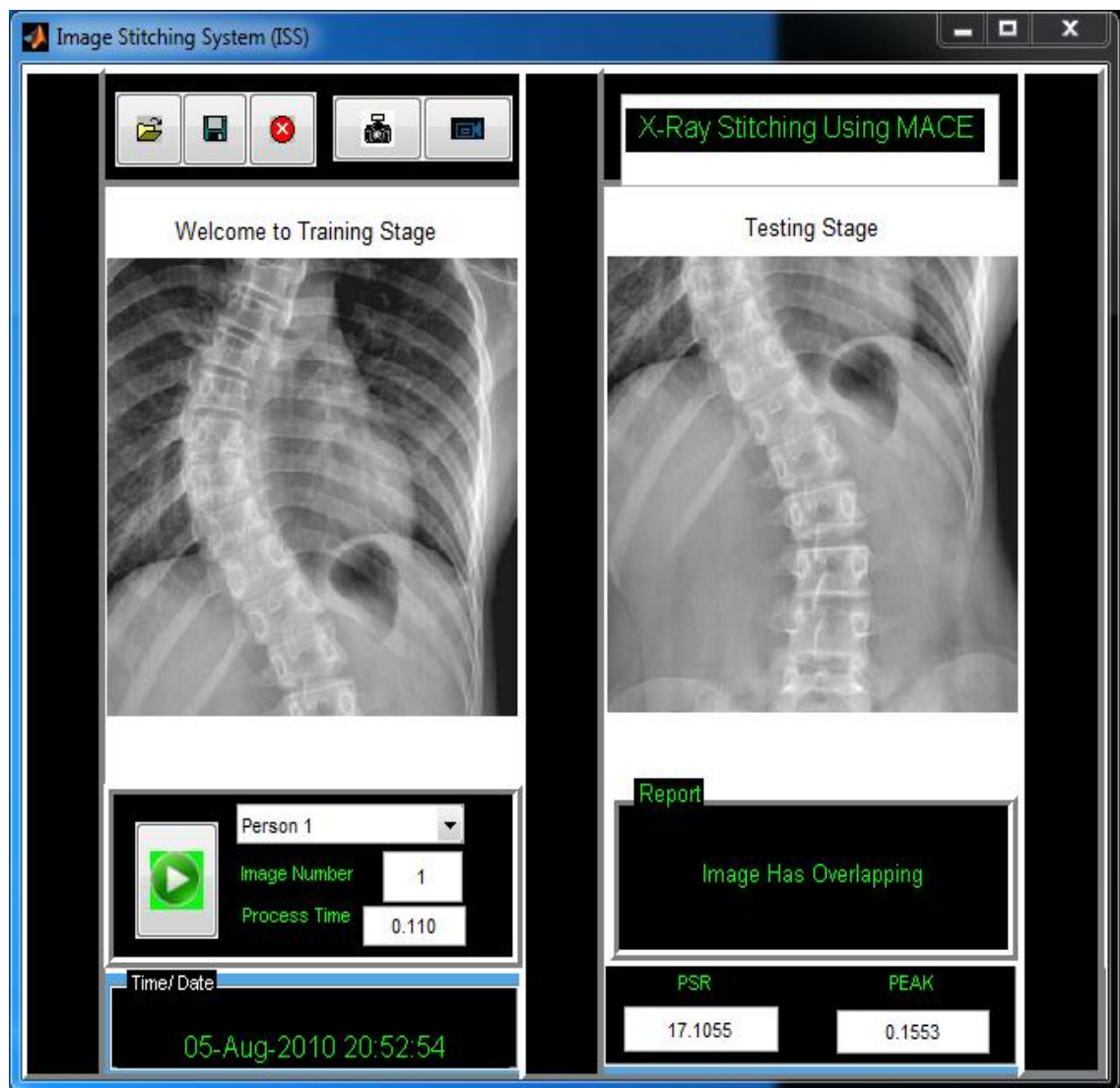


Figure 4.9: A pair of overlapping scoliosis images with calculated peak and PSR values.

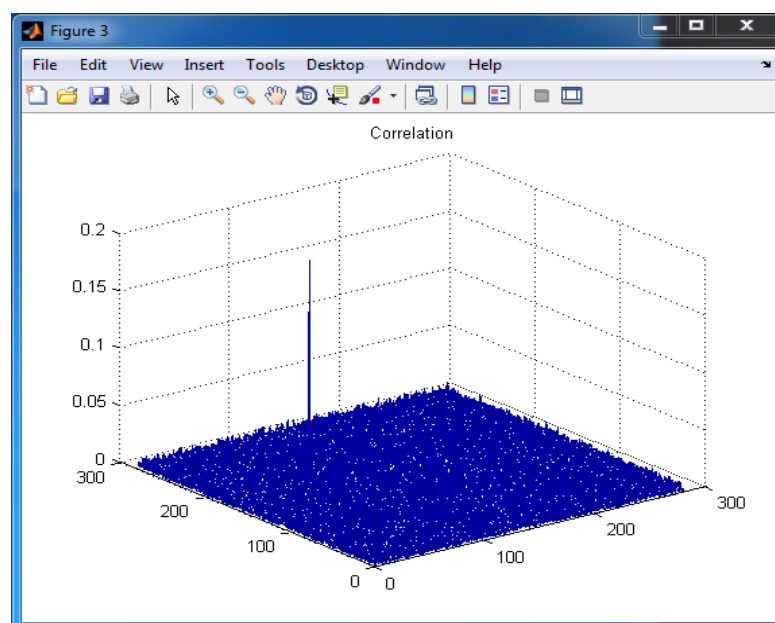


Figure 4.10: Correlation plane for images in figure 4.9



Figure 4.11: Stitched image for images in figure 4.9

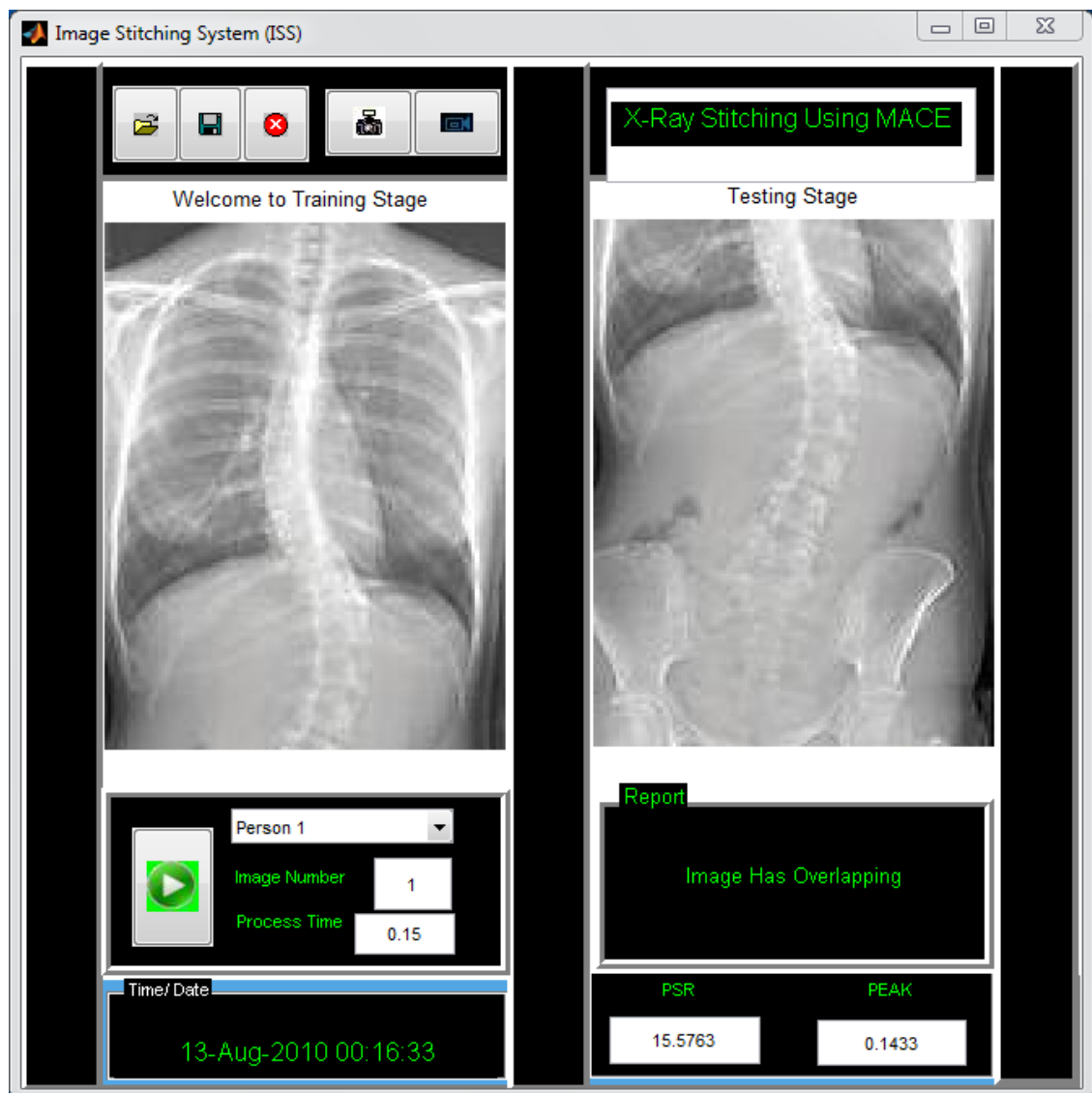


Figure 4.12: Another pair of overlapping scoliosis images with peak and PSR values.

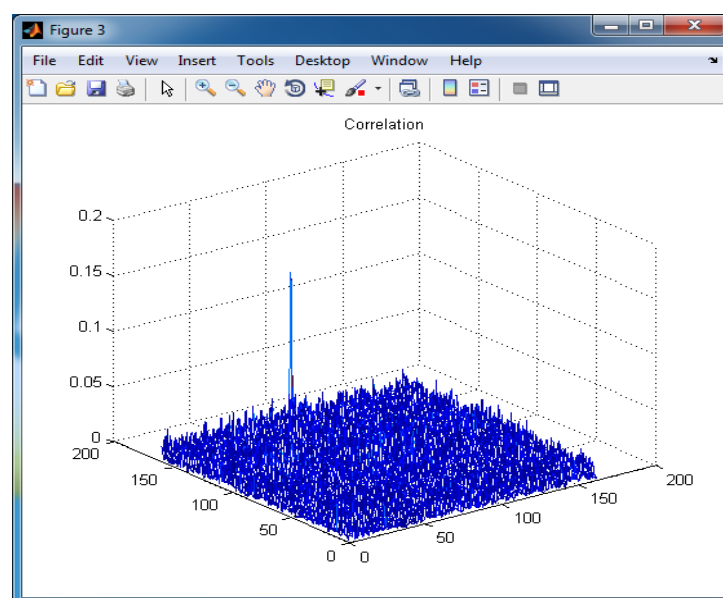


Figure 4.13: Correlation plane for images in figure 4.12



Figure 4.14: Merged image for images in figure 4.12

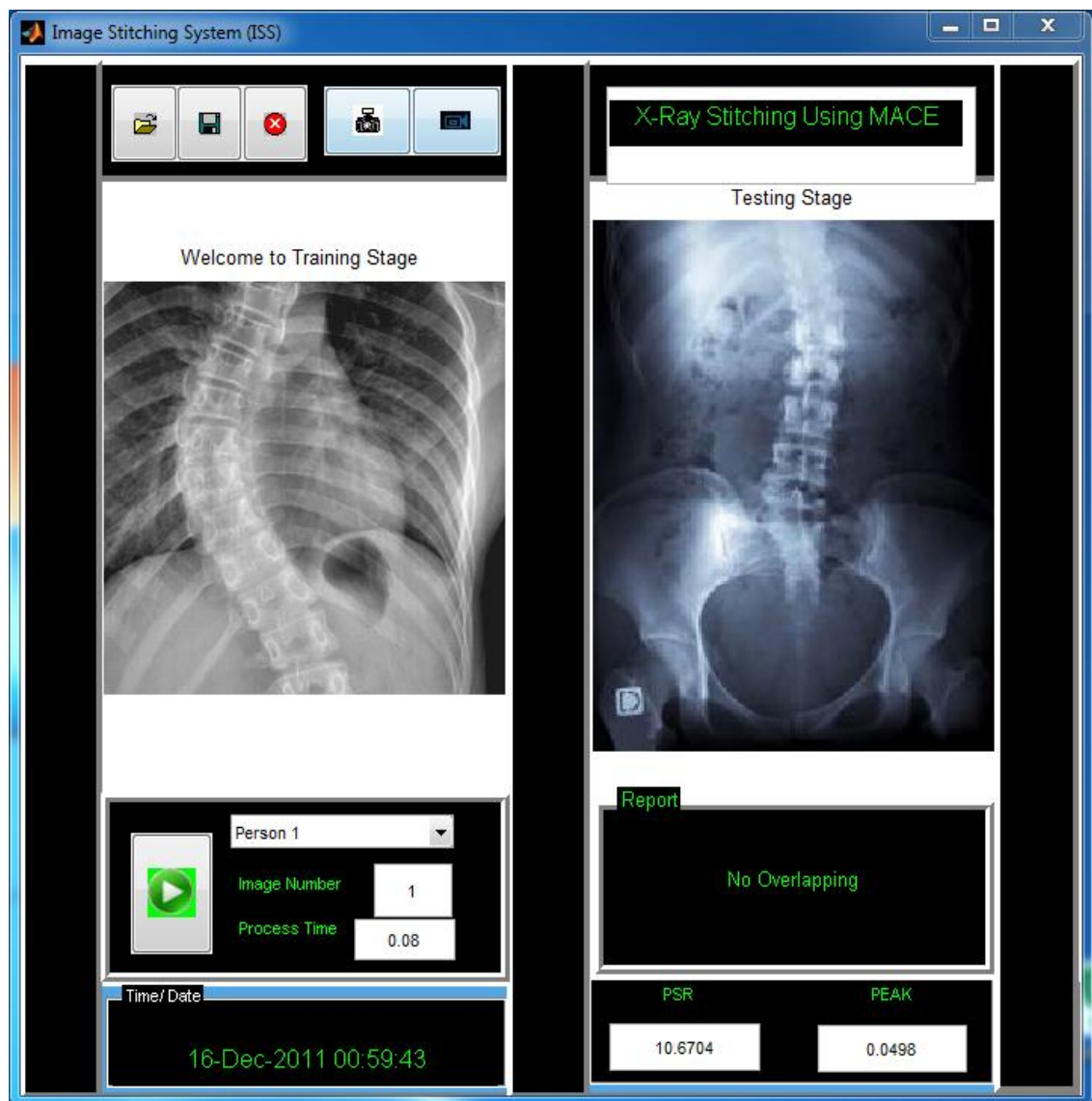


Figure 4.15: A pair of non-overlapping scoliosis images with lower peak and PSR values.

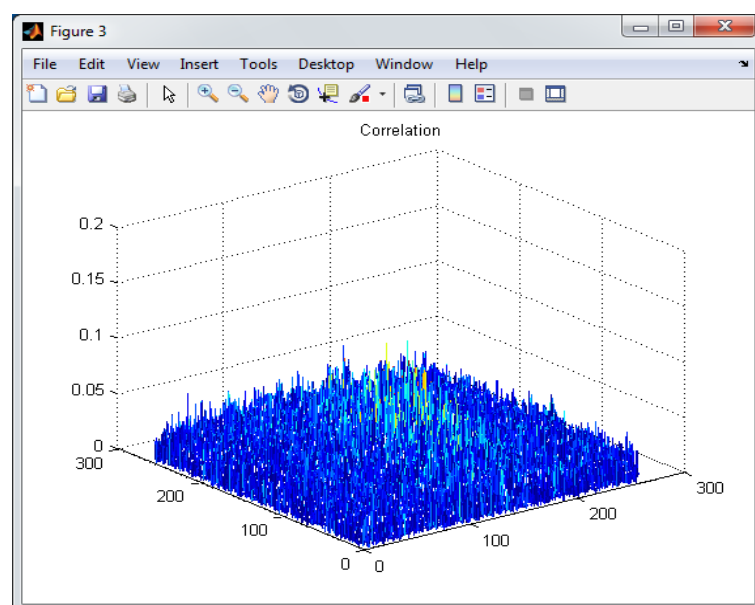


Figure 4.16: Correlation plane for non-overlapping images in figure 4.15

Table 4.3: Evaluation of matching precision of medical Stitching System using (TPR) and (FNR) Rates

Methods	Total number of overlapped images in database	No. of overlapped images correctly identified and stitched (TPR)	TPR (%)	FNR (%)	Average processing time (second)
Proposed	20	19	95%	5%	0.14
NCC	20	17	85%	15%	0.61
POC	20	17	85%	15%	0.25

Table 4.4: Evaluation of matching precision of stitching system using (TNR) and (TPR) Rates

Methods	Total number of none overlapped images in database	No. of non overlapped images correctly identified (FPR)	FPR (%)	TNR (%)	Average processing time (second)
Proposed	20	20	100%	0%	0.09
NCC	20	19	95%	5%	0.28
POC	20	20	100%	0%	0.14

4.5 Hand image stitching

Hand x-ray imaging is very useful for diagnosing fractured bones, dislocated joint, injury, arthritis, and guiding orthopedic surgery for joint replacement and fracture reductions. For the hand database, similar experiments were performed using the 40 pairs of overlapping images and 40 pairs of non-overlapping images. Figure 4.17 shows a pair of overlapping hand images whose correlation plane is given in Figure 4.18. Since the peak is bigger than 15 they are merged as shown in Figure 4.19. Figures 4.20,

4.21 and 4.22 show another pair of overlapping hand images, their correlation plane and stitched image respectively. Finally, figures 4.23, and 4.24 show a pair of non-overlapping hand images and their respective correlation plane. In figure 4.24, it can be observed that there is no significant peak in the correlation plane which results in low PSR score.

The results of the experiments with the third database involving overlapping and non-overlapping hand images are summarized in Table 4.5 and 4.6 respectively. For overlapping hand images, the proposed method obtains perfect classification and matching accuracy while the NCC and POC methods attain 95% and 97.5% respectively. For non-overlapping hand images, the proposed MACE filter and POC approaches record perfect accuracy while the NCC approach misclassifies only two pairs of images.



Figure 4.17: A pair of overlapping hand images.

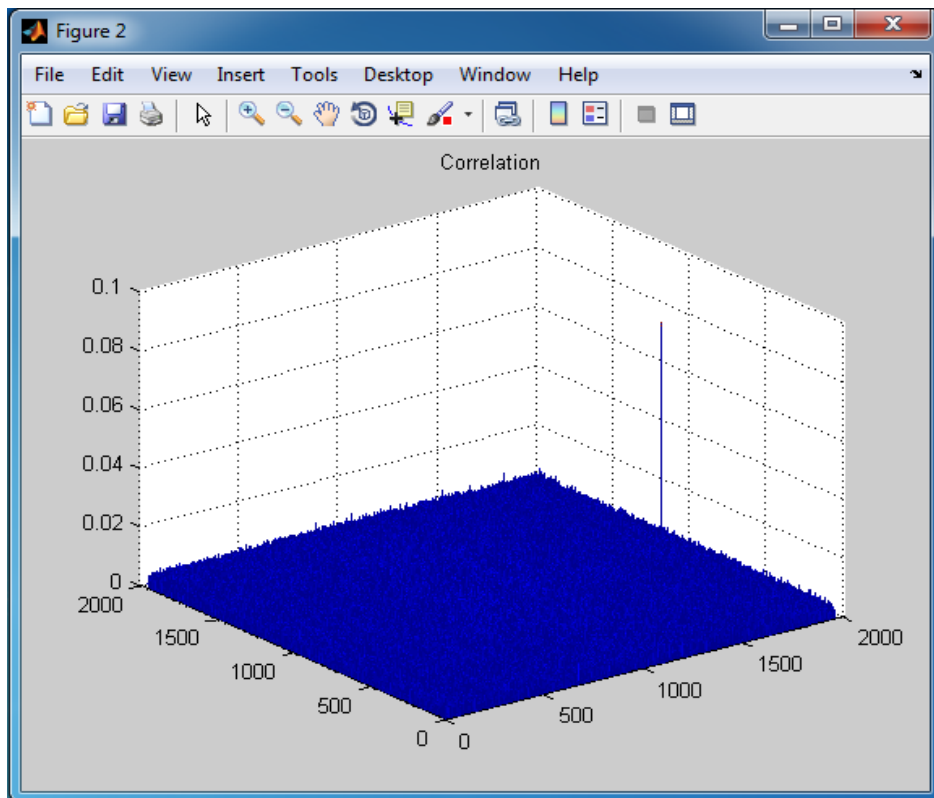


Figure 4.18: Correlation plane for the images in Figure 4.17



Figure 4.19: Stitched image for images in figure 4.17.



Figure 4.20: Result of Peak and PSR of Two Positive Overlapped Images.

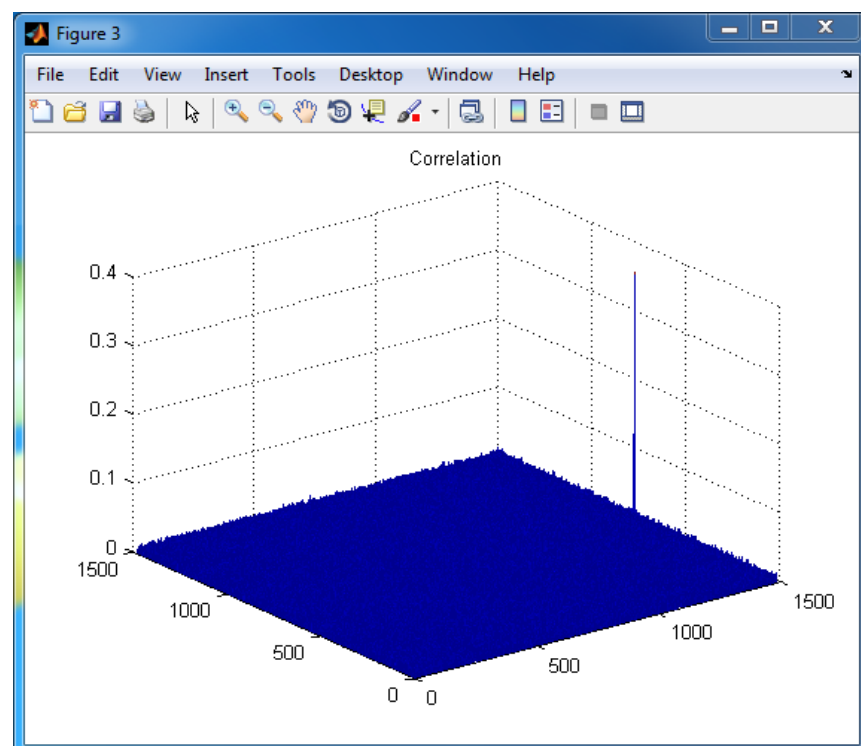


Figure 4.21: Correlation plane for the images in Figure 4.20



Figure 4.22: Stitched image for images in figure 4.20.

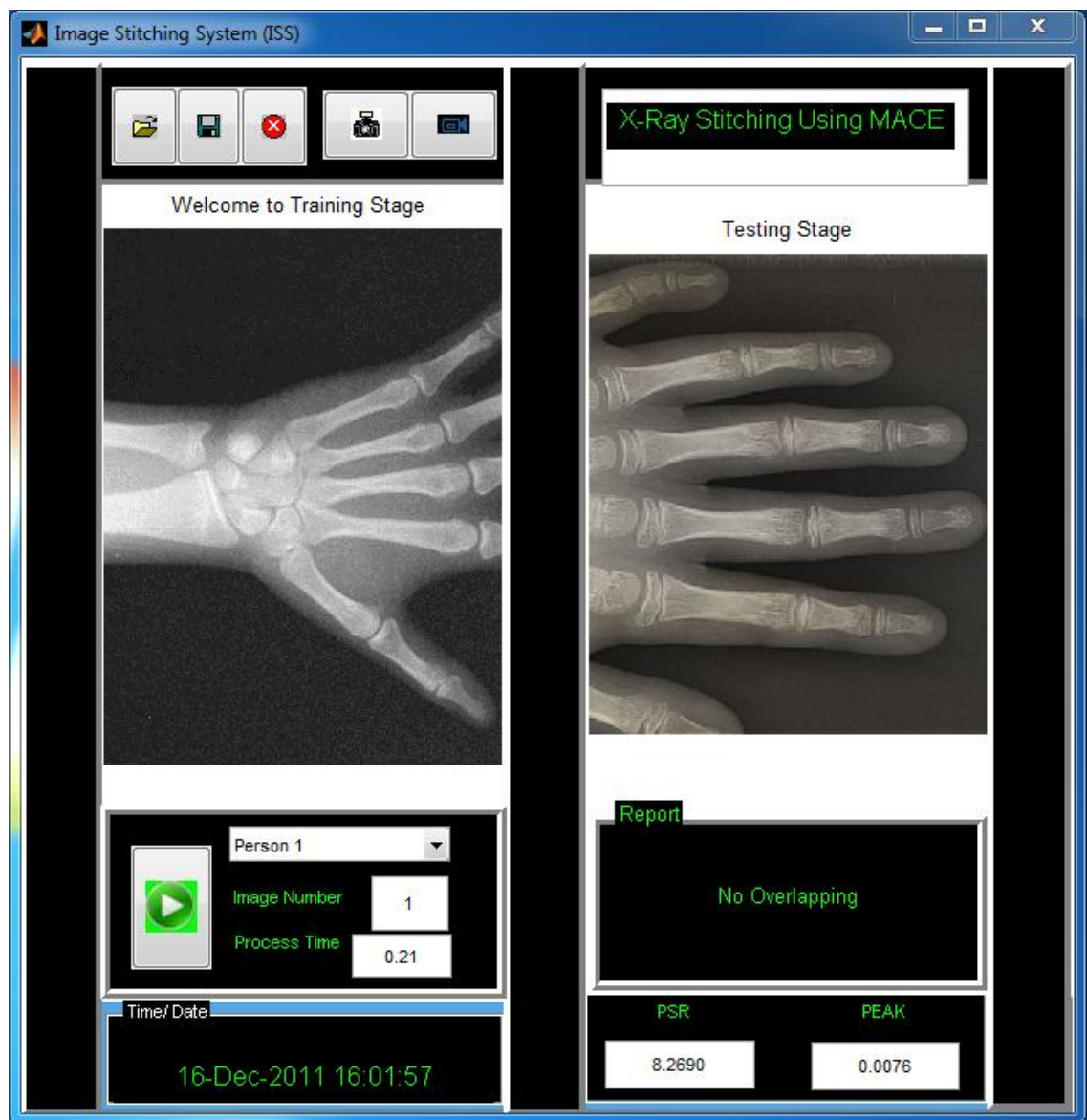


Figure 4.23: Result of Peak and PSR Value for Non-Overlapped Image

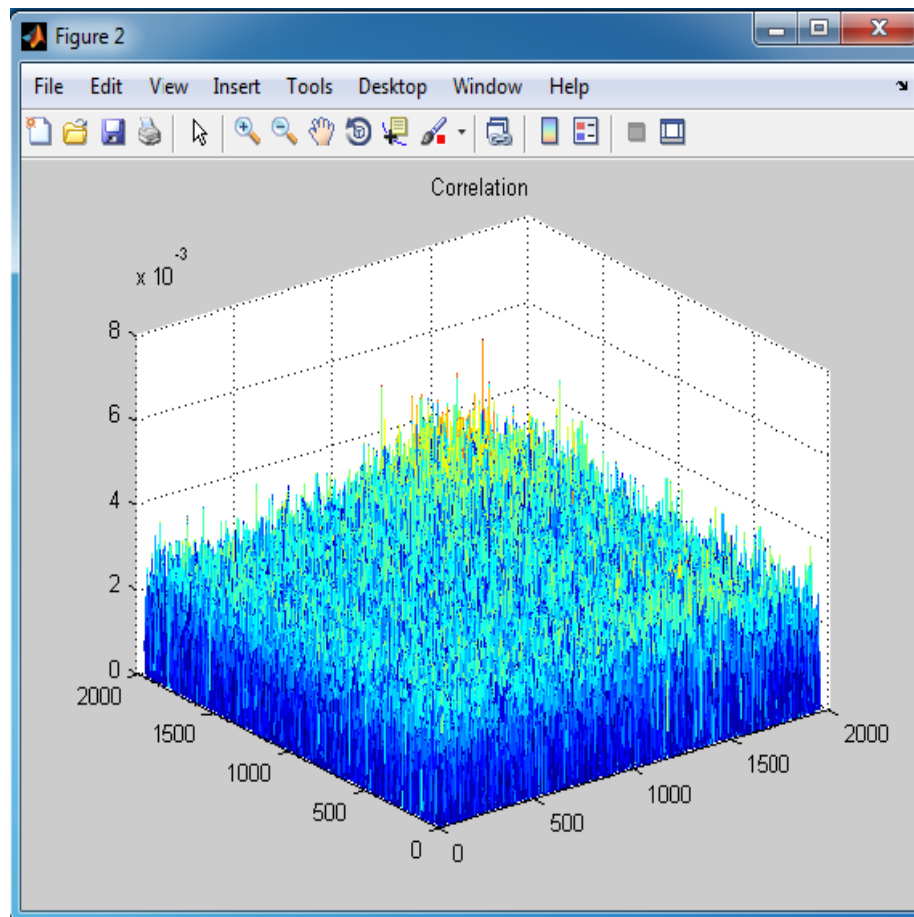


Figure 4.24: Correlation plane for non-overlapping images

Table 4.5: Evaluation of matching precision of medical Stitching System using (TPR) and (FNR) Rates

Methods	Total number of overlapped images in database	No. of overlapped images correctly identified and stitched (TPR)	TPR (%)	FNR (%)	Average processing time (second)
Proposed	40	40	100%	0%	0.3
NCC	40	38	95%	5%	1.2
POC	40	39	97.5%	2.5%	0.5

Table 4.6: Evaluation of matching precision of stitching system using (TNR) and (TPR) Rates

Methods	Total number of none overlapped images in database	No. of non overlapped images correctly identified (FPR)	FPR (%)	TNR (%)	Average processing time (second)
Proposed	40	40	100%	0%	0.18
NCC	40	39	97.5%	2.5%	0.88
POC	40	40	100%	0%	0.41

4.6 Summary

The performance of the proposed method based on the MACE correlation filter is investigated in this chapter. The ability of the method to classify overlapping and non-overlapping pairs of images is demonstrated using 3 sets of databases. Then the performance of the proposed method is compared to those of the NCC and POC approaches. It is observed that the proposed method displays comparable or superior performance to the other two methods in all instances on the three standard databases. These results are promising and demonstrate the potential of the proposed method for further development to tackle more advanced stitching problems that may involve image warping, rotation and scale variations, slant and tilt.

CHAPTER 5

Image Stitching of Natural Images

5.1 Introduction

Panoramic image stitching for natural image has been the subject of interest by many researchers for producing wide viewing field and high resolution images. In this chapter, image stitching for indoor and outdoor natural images is presented using the proposed method. It is assumed that there exists enough overlapping between adjacent images so that precise stitching can be achieved. The overlapping between images should not be less than 30% and the PSR threshold is set at 15. Again, the performance of the method is compared against the POC and NCC methods. A summary of the relative accuracy and execution time of the three methods are presented in table form.

5.2 Image Acquisition

First, the normal indoor and outdoor test images were captured using a handheld mobile phone. The overlapping images were taken while the mobile phone was moved in the direction that was approximately parallel to the imaging plane with approximately 50% of overlapping between consecutive images. All of the images taken have a resolution of 3288 x 1520 which is approximately 5M pixels altogether. The proposed algorithm, NCC and POC methods were all implemented in MATLAB 7.4 running on a computer with 2.0GHz dual core OPTERON processor and 1.87GB RAM. Due to memory limitation using MATLAB, image in the databases were resized to smaller images.

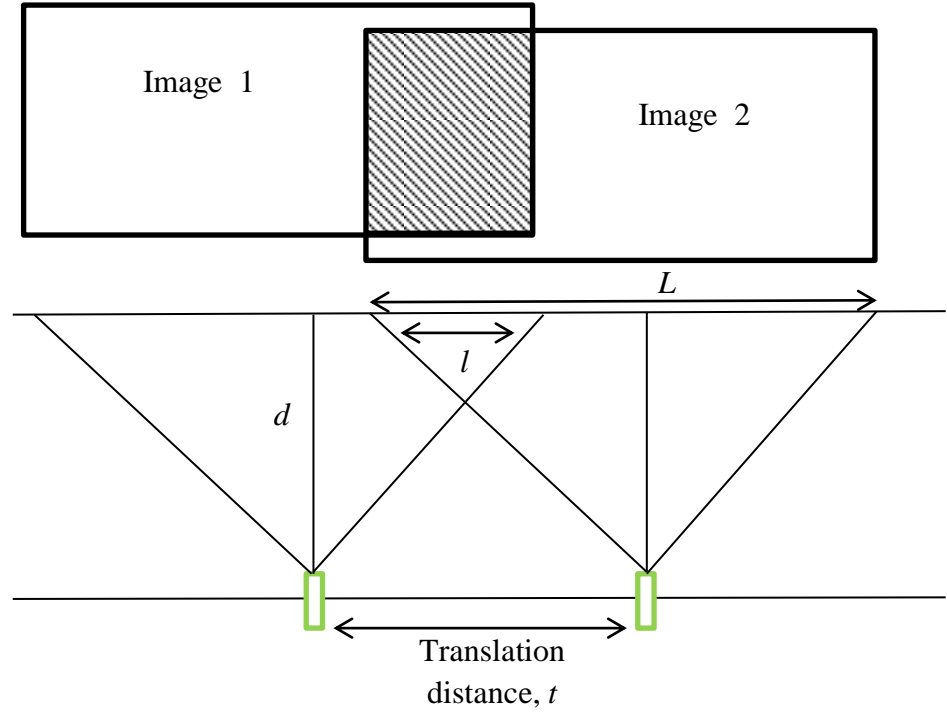


Figure 5.1: image acquisition using mobile phone

5.3 Indoor image stitching

For indoor image stitching, two sets of experiments were carried out using 40 pairs of overlapping and 40 pairs of non-overlapping indoor images. In the first set of experiments, the 40 overlapping images were analyzed using the MACE filter approach. Then the same sets of experiments were carried out using NCC and POC methods. Figures 5.2, 5.3 and 5.4 show a pair of overlapping indoor images, their correlation plane and the final stitched image respectively. The average processing time, peak and PSR values of the three methods for the two images in Figure 5.2 are presented in Table 5.1.

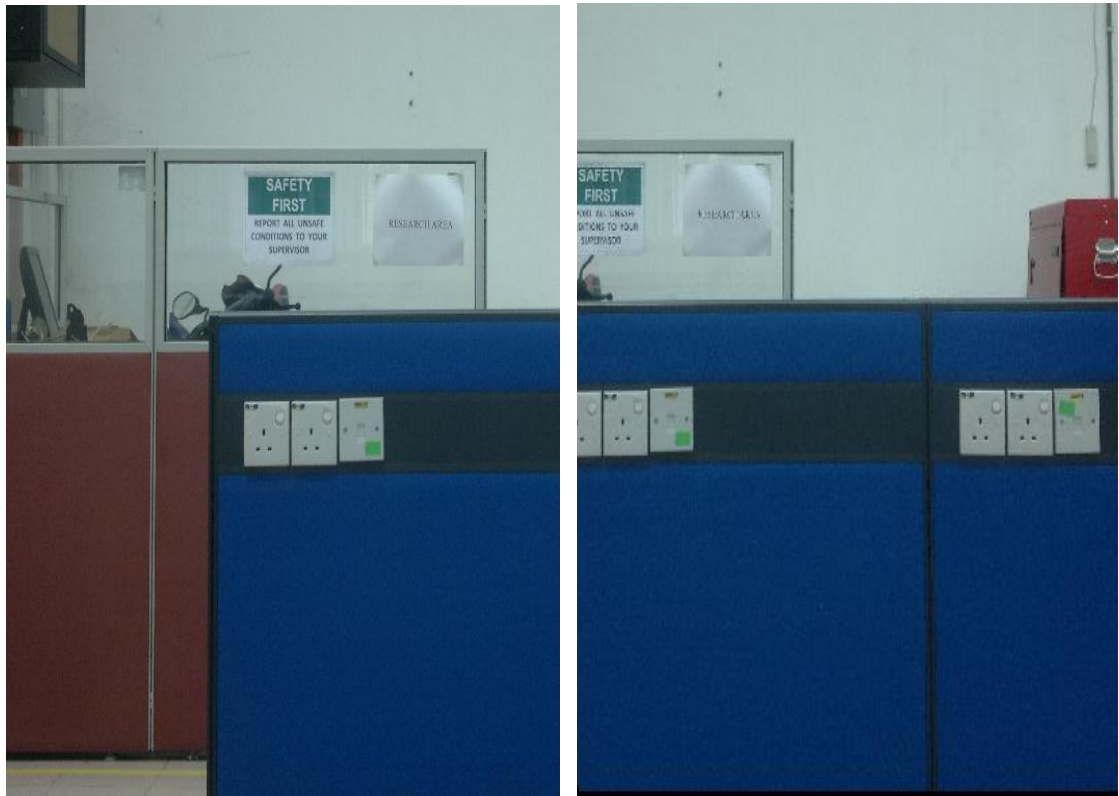


Figure 5.2: Two overlapping indoor images

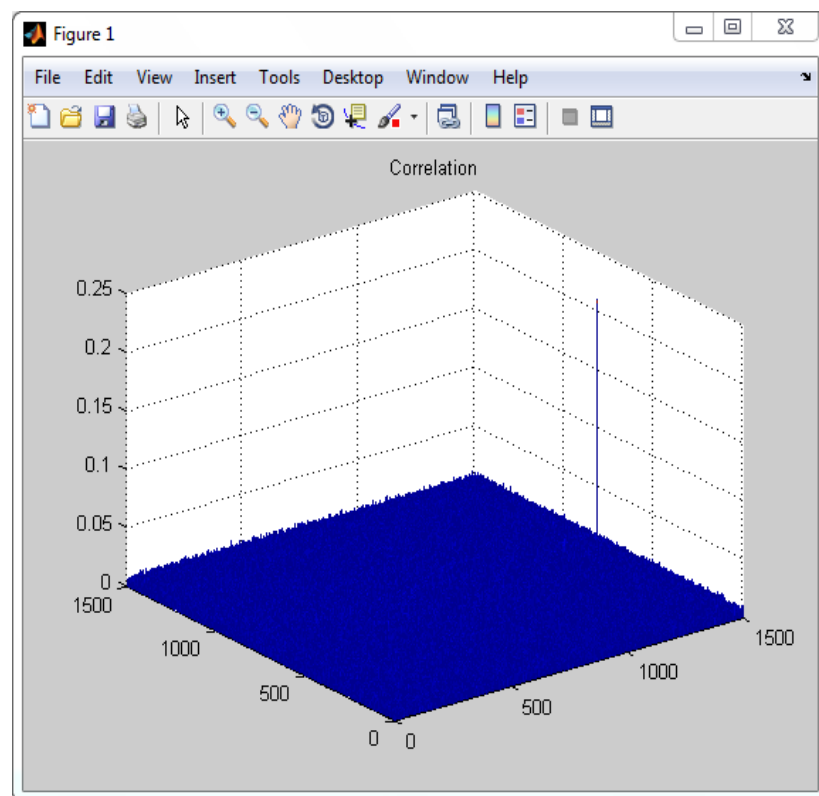


Figure 5.3: Correlation plane for images in Figure 5.2

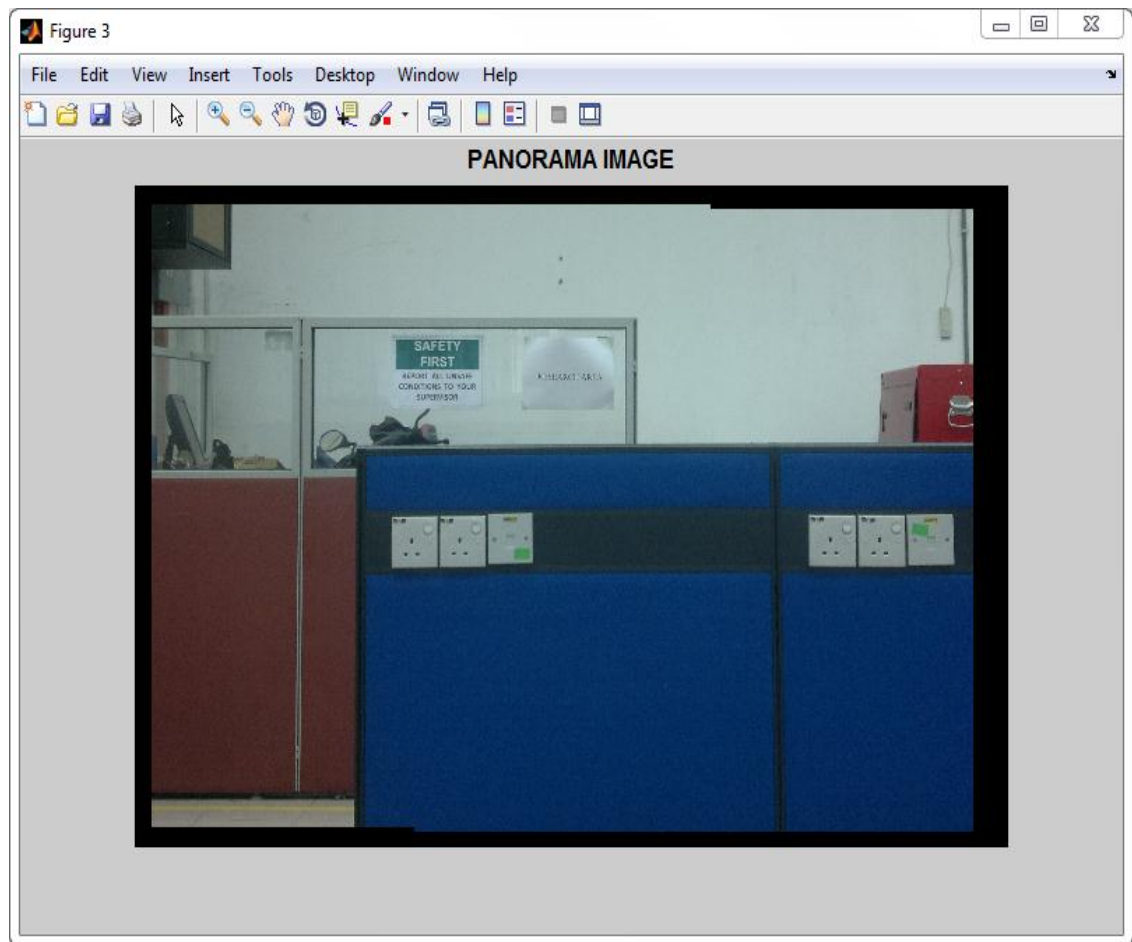


Figure 5.4: Stitched image for images in Figure 5.2

Table 5.1: Execution time, peak and PSR values for images in Figure 5.2

Method	Execution Time	Peak	PSR
Proposed	2.14	0.217	17.047
POC	3.68	0.172	16.223
NCC	5.12	0.197	16.344

Similarly, figure 5.5 shows another pair of overlapping images whose final stitched image is given in figures 5.6. The correlation plane for overlapping image will be same as in figure 5.3. The average processing time, peak and PSR values of the three methods for the two referred images are presented in Table 5.2.



Figure 5.5: Another pair of overlapping images

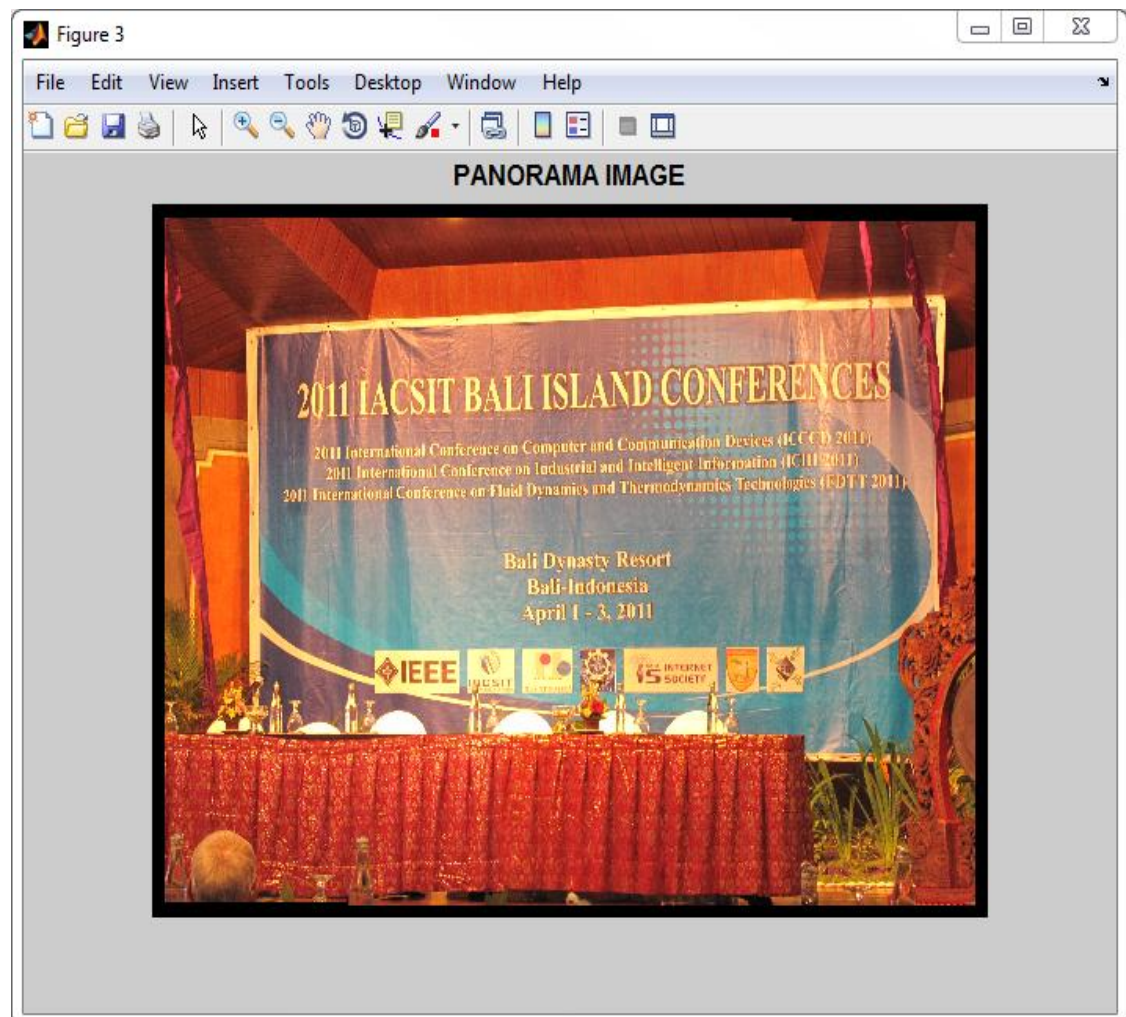


Figure 5.6: Stitched image of images in figure 5.5

Table 5.2: Execution time, peak and PSR values for images in Figure 5.5

Method	Time	Peak	PSR
Proposed	3.265	0.243	17.21
POC	4.466	0.192	16.22
NCC	6.011	0.218	17.01

In the second set of experiments, 40 non-overlapping images were evaluated by the three methods. Figure 5.7 shows an example of a pair of non-overlapping images. Figure 5.8 shows the correlation plane of these images wherein there is no dominant peak observed.

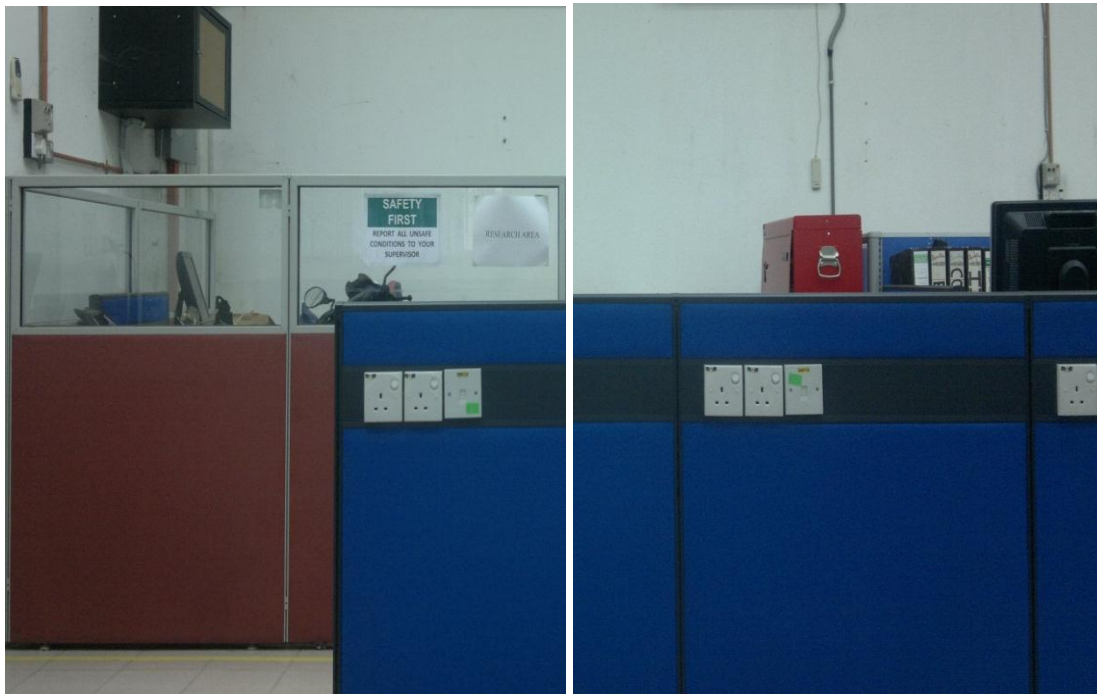


Figure 5.7: A pair of non-overlapping images

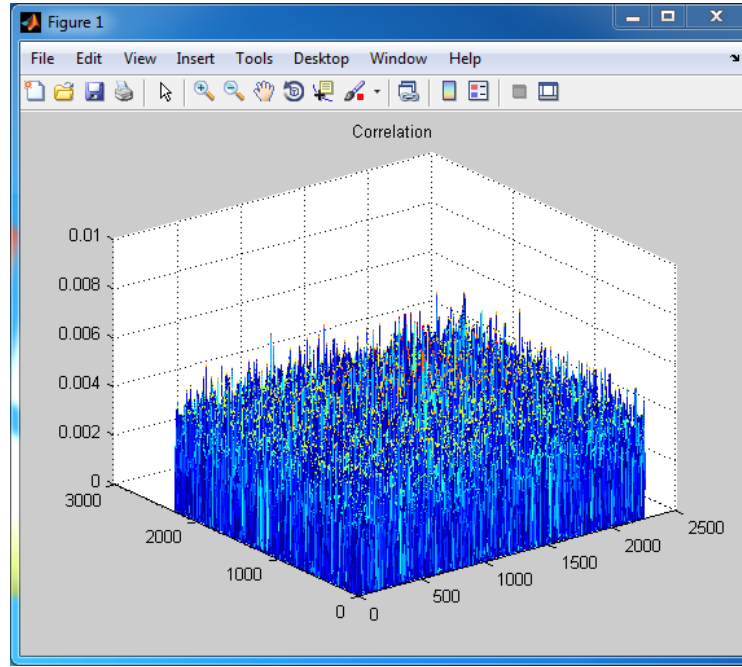


Figure 5.8: Correlation plane for non-overlapping images in Figure 5.7

The overall performances of the three methods in analysing the overlapping and non-overlapping pairs of indoor images are summarized in Table 5.3. Out of 40 pairs of overlapping images, only one is misclassified by the proposed method. This number compares favourably to 5 and 4 misclassified cases for POC and NCC method respectively. And out of 40 pairs of non-overlapping images, the proposed method obtains zero misclassification while the POC and NCC methods registered 6 and 2 misclassification cases. These performances are reflected in the values of TPR, FNR, FPR and TNR. On top of those, the average execution times of the three approaches are also depicted.

Table 5.3: Summary of the relative performance of the three methods

Method	TPR	FNR	FPR	TNR	Average Time (s)
Mace Filter	97.5%	2.5%	100%	0%	2.426
Phase only Correlation	87.5%	12.5%	85%	15%	3.662
Normalize Cross Correlation	90%	10%	95%	5%	5.061

5.4 Outdoor image stitching

For outdoor image stitching, 40 sets of overlapping images and 40 sets of non-overlapping images were analyzed by the three methods. Each set contains 4 images. A set of images are shown in figure 5.9 the final panorama image is shown in figure 5.10. The process started with stitching a pair of images followed by merging the other two images to the stitched image consecutively. For each successive merging a processing time, peak and PSR were recorded. Then the same procedure was repeated using the POC and NCC methods. The values of the total execution time, peaks and PSR for the three methods in stitching the four images are given in Table 5.4.

Another set of images are shown in figure 5.11 and the final panoramic image is given in figure 5.12. The values of the total execution time, peaks and PSR for these images are given in Table 5.5.



Figure 5.9: A set of overlapping outdoor images

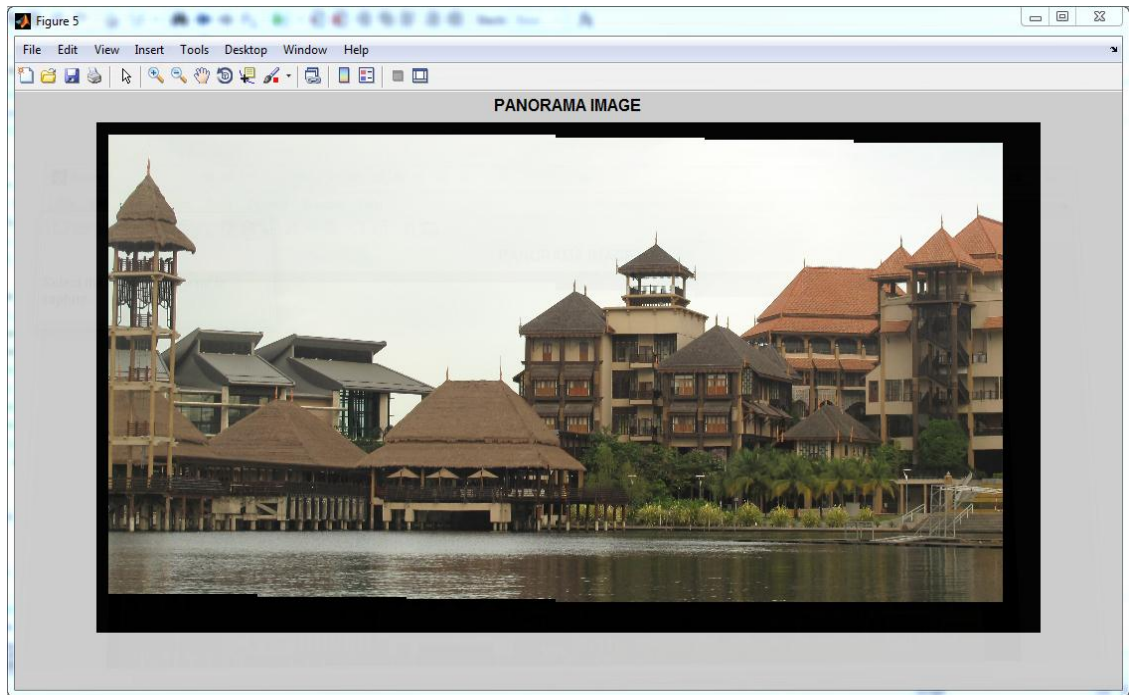


Figure 5.10: Final panorama image

Table 5.4: Execution times, peaks and PSRs of the three methods in merging 4 outdoor images successively into a single image in figure5. 9.

Method	Total execution time	Peak	PSR
Proposed	5.675	(0.433,0.637,0.523)	(17.27,17.22,17.31)
POC	6.863	(0.352,0.572,0.492)	(16.53,16.86,16.11)
NCC	8.844	(0.414,0.598,0.511)	(17.11,17.03,16.28)



Figure 5.11: sequence of input images

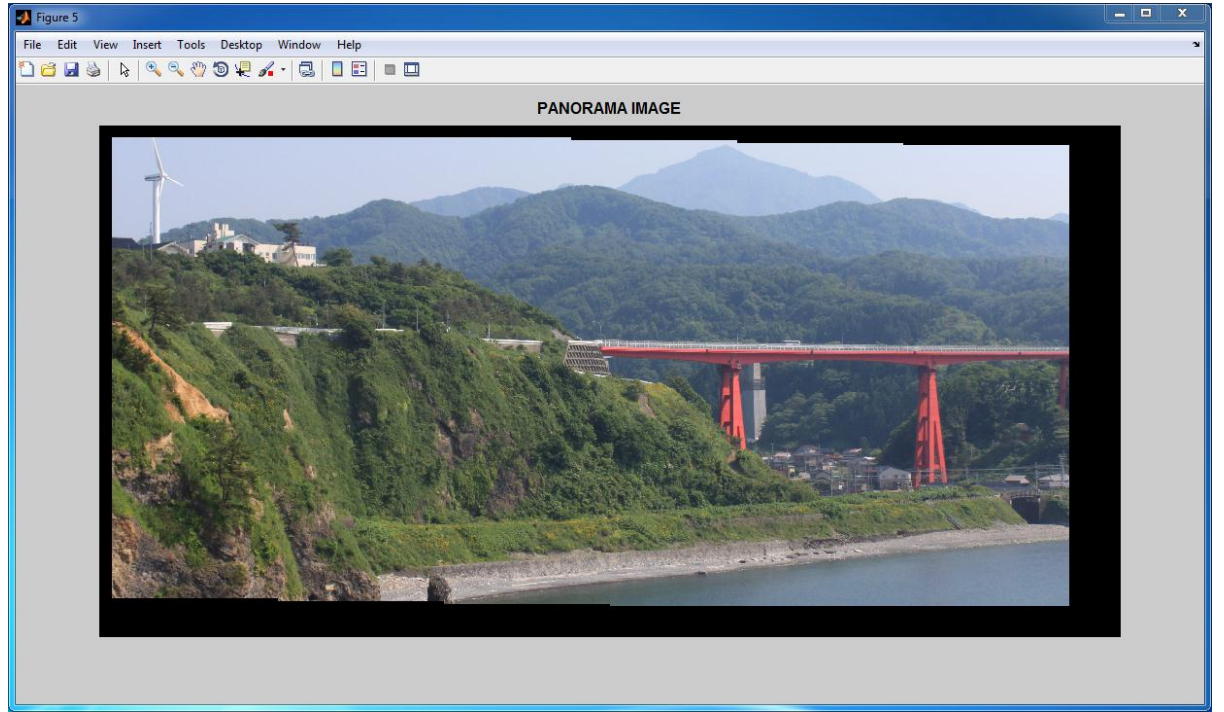


Figure 5.12: Panorama in Kashiwazaki, Japan

Table 5.5: Execution times, peaks and PSRs of the MACE, POC and NCC methods in constructing the panoramic image of figure 5.11.

Method	Time	Peak	PSR
Proposed	6.11	(0.597,0.637,0.524)	(17.303,17.286,17.298)
POC	7.21	(0.437,0.544,0.464)	(16.931,16.432,16.646)
NCC	9.23	(0.511,0.612,0.518)	(17.210,17.153,17.173)

Table 5.6 presents the overall performances of the three methods in analysing both the overlapping and non-overlapping sets of outdoor images. It should be noted that in a single set of overlapping images, all images must be classified and stitched correctly for the set to be included in the TPR. Similarly, in the calculation for FPR, each pair of consecutive images in a set must be declared as non-overlapping before the set can be considered as correctly classified. All 40 sets of overlapping outdoor images were classified and stitched correctly by the proposed method. The POC misclassified 3 sets of images while the NCC missed 1 set of images. And out of 40 non-overlapping sets of images, the proposed method and the NCC obtained zero misclassification whiles

the POC method 1 misclassification case. These results are represented by the values of TPR, FNR, FPR and TNR in the table.

Table 5.6: Summary of the relative performance of the three methods

Method	TPR	FNR	FPR	TNR	Average time (s)
Mace Filter	100%	0%	100%	0%	5.81
Phase only Correlation	92.5%	7.5%	97.5%	2.5%	6.88
Normalize Cross Correlation	97.5%	2.5%	100%	0%	9.04

5.5 Summary

This chapter describes the experiments that explore the ability of the proposed approach to classify overlapping and non-overlapping natural images in sets of four. When sets of overlapping or non-overlapping indoor or outdoor images are presented to the proposed method as inputs, it calculates the measure of correlation between consecutive images and determines whether they are overlapping or not. If the images are deemed to be overlapping they will be stitched to form a single image. Then the same experiments are repeated using POC and NCC methods. The results show the superiority of the proposed method against the POC and NCC methods in terms of classification accuracy and execution time.

CHAPTER 6

Conclusion

6.1 Introduction

The objective of the thesis is to develop a panorama stitching using Minimum Average Correlation Energy (MACE) filter. The ability of the method to classify non-overlapping and overlapping images is tested on pairs of radiographic images and sets of natural indoor and outdoor images. If the images are classified as overlapping, they are then stitched accordingly. The performance of the method is compared to those of the Phase Only Correlation (POC) and Normalized Cross Correlation (NCC) in terms of accuracy and computation time.

6.2 Summary of Work

Given pairs or sets of images, the implementation of the proposed method starts with pre-processing and followed by Fourier transformation, MACE filter design, inverse transformation, peak and Peak to Sidelobe Ratio (PSR) measurement and image blending. The accuracy of the method is then measured in terms of TPR, FPR, TNR and FNR. On the other hand, its efficiency is measured by the average processing or execution time. Its relative performance is compared against two other correlation based methods, specifically, the NCC and POC methods.

Both overlapping and non-overlapping sets of images are presented to the three methods to test their classification and stitching ability. Various pairs of radiographic images and sets of natural images are utilized in the experiments. It turns out that the

performance of the proposed method is comparable or better than those of the POC and NCC methods while its execution time is always less than those recorded by the other two methods. In short, under the constraints of at least 30% overlapping and minimal rotation, skew, tilt and scaling, the proposed method performs satisfactorily.

6.3 Future Work

Despite the encouraging results, there are always avenues to enhance the performance and robustness of the method. Since the setting of medical images is usually restrictive, variations in the forms of rotation, scaling and affine translation are usually minimal. In this regard, it is suggested for future work that processing is performed both in the time and frequency domains so that the amount of 30% overlapping that is necessary for correct stitching can be reduced. For natural image stitching, further study can be done on improving the model of the process to overcome effects of image warping, rotation, scaling, slant, tilt and affine translation.

6.4 Summary

The following points are summarized from the thesis

- A new stitching method based on MACE filter is proposed
- The utility of the method is tested on radiographic and natural images
- Its performance is compared to two similar methods

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